

Ephemerides k. 756. a 11

THE *pp. 2465*
Gentleman's Diary,
OR THE
MATHEMATICAL REPOSITORY;
An ALMANACK
For the YEAR of our LORD 1761.

BEING
The FIRST after BISSEXTILE, or LEAP-YEAR.
Containing many useful and entertaining Particulars,
peculiarly adapted to the ingenious Gentlemen en-
gaged in the delightful Study and Practice of the
MATHEMATICKS.

The Twenty-first *Almanack* published of this Kind;
And the Ninth of the NEW STYLE in ENGLAND.

THE Almanacks for 1761. being all printed
before the Demise of his late Majesty;
The Publick are desired to observe, that the
4th of June is the Birth-Day of His present
Majesty King GEORGE III; the 25th of October
the Day of his Accession to the Crown; and the
26th of October the Day of His Proclamation.

LONDON,
Printed for the Company of STATIONERS.

MDCCLXI.
[Price Nine-pence stich'd]

To the PUBLICK.

ALL Persons who are pleased to be *Contributors* to this **DIARY**, by answering the *Questions, Enigmas, &c.* or by sending in new ones, or other *Subjects* proper for the **WORK**, are desired to send *them* and their *Solutions* along with them, before the first Day of *May* 1761, directed for the *Authors* of the **GENTLEMAN'S DIARY**; to be left with **THO. PEAT**, School-master in **NOTTINGHAM**; (and so where else) *Post paid*, or they will not be received.

And, as the Generality of our **CONTRIBUTORS** seem desirous to have a **PRIZE QUESTION** and a **PRIZE ENIGMA** proposed; and we, being willing to oblige them in this Respect, purpose to give an **ANNUAL PRIZE** of 12 *Diaries* to such **Contributors** as shall favour us with the best **MATHEMATICAL** and **POETICAL** Performances (sent in the Time above limited) to be delivered to such *Contributors* the **CHRISTMAS** next following, as we shall order in the **DIARY**: And we accordingly desire, that **Mr. GEORGE BEECHER**, Teacher of the **Mathematicks**, on *Portsmouth Common*, will accept of 12 *Diaries*, to be sent him as soon as published, from *Stationer's Hall*, **LONDON**.

JANUARY hath xxxi Days.

M ☉ Deel.
D South.

New Moon the 6th
First Quarter the 14th
Full Moon the 20th
Last Quarter the 27th

Day at { 46 min. past 9 Morn.
39 min. past 2 Morn.
23 min. past 6 Night.
1 min. past 11 Night.

1 23° 0
6 22 28
11 21 45
16 20 52
21 19 48
26 18 36

1 Th	Circumcision, or NEW-YEAR'S DAY.	Rises	8 M	8
2 F	Day Light begins, and Twilight	4 M	27	8 54
3 S	ends at 6 o'Clock.	5	36	9 40
4 D	2 Sunday after Christmase.	6	42	10 26
5 M	OLD CRISTMAS-DAY.	7	41	11 15
6 Tu	Epiphany, CHRIST'S * app. to Gent.	Sets	CA	6
7 W	(Salisbury, Wiltshire the 6th)	4 A	47	0 56
8 Th	Lucian, Priest & M.	5	55	1 40
9 F	Canterbury.	7	8	2 33
10 S	Days increased 26 minutes.	8	22	3 18
11 D	1 Sunday after Epiphany.	9	36	4 3
12 M	OLD NEW-YEARS DAY.	10	52	4 47
13 Tu	Hillary, Bish. & Con. Preston, Lanc.	Morn	5	33
14 W	Day 8 hours 16 min. long.	0	10	6 20
15 Th	Barston, Yorkshire.	1	30	7 10
16 F	Nottingham.	2	55	8 5
17 S	Old Epiphany.	4	20	9 6
18 D	Septuagesima Sunday.	5	47	10 9
19 M	Preston, Lanc.	7	0	11 14
20 Tu	Fabian, B. of Rom. M. In 8 Days of	Rises	Morn.	
21 W	Agnes, Rom. V. & M. [S. Hil. 1 Ret.	5 A	6	0 18
22 Th	Vinc. Span. Deac. M.	6	33	1 17
23 F	Term begins.	7	56	2 12
24 S	CHA. FRED. K. of Prussia born 1712.	9	15	3 2
25 D	Sexages. Sund. Conv. St. Paul.	10	29	3 47
26 M	Days increas'd an hour and 5 min.	11	42	4 30
27 Tu	From the Day of S. Hil. in 15 D. 2 Ret.	Morn.	5	13
28 W	Duration of Twilight 2 Hours.	0	54	5 56
29 Th	Grampound, Cornwall.	2	5	6 40
30 F	King CHARLES Mart. at Whitehall,	3	15	7 26
31 S	12 min past 1. 1649.	4	22	8 12

M D	☉ Rises	☉ Sets	☿ Sets	♃ Sets	♂ Sets	♀ Sets	♄ Rises	Cl. bef. ☉
1	8h 4'	3h 56'	10 A 26	8 A 2	6 A 16	6 A 54	6 M 13	4 23
6	8	0 4	0 10	5 7	46 6	16 7	8 6	13 6 38
11	7 56	4 5	9 45	7 30	6 17	7 22	6 19	8 43
16	7 50	4 10	9 27	7 15	6 19	7 37	6 29	10 32
21	7 43	4 17	9 9	7 1	6 22	7 51	6 40	12 3
26	7 36	4 25	8 50	6 46	6 24	8 4	6 47	13 15

FEBRUARY hath xxviii Days.

M ☉ Decl.
D South.

New Moon the 5th
First Quarter the 12th
Full Moon the 19th
Last Quarter the 26th

Day at { 43 min. past 3 Morn.
a Quarter past Noon.
52 min. past 5 Morn.
33 min. past 7 at Night.

1	16° 58'
6	15 28
11	13 52
16	12 9
21	10 24
26	8 32

M W Sundays, Holy and Remarkable Days.

Rises Moon

D D Length. incr. Days Terms, Fairs, &c.

& Sets South

1	D	Quinqu. or Shrove Sunday.	5M 24 9	M 1
2	M	Candlemas, or Purif. B. V. Mary.	6 19 9	51
3	Tu	Shrove Tuesday. Blazius, B. & M.	7 4 10	43
4	W	Ash Wednesday, first Day of Lent	7 38 11	33
5	Th	Agatha Sicil V. & M.	2 Sets	0A 12
6	F	Day 9 hours 20 min. long. and are	6A 5 1	9
7	S	now increased 1 hour 47 min.	7 20 1	56
8	D	Quadragesima. 1 Sunday in Lent.	8 36 2	41
9	M	In eight Days of the Purif. B. V. M.	9 54 3	25
10	Tu	Day Light begins 16 min. past 5.	11 14 4	12
11	W	Ember Week.	Morn, 5	3
12	Th	Term Ends.	0 36 5	55
13	F	Old Candlemas-Day.	2 0 5	52
14	S	Valentine, Bish. and M.	4 24 7	50
15	B	Reminiscere, 2 Sunday in Lent.	4 40 8	53
16	M	Twilight ends 54 min. aft. 6.	5 53 9	57
17	Tu	Day 10 h. 6 m. Night 13 h. 54 m. long	6 30 10	57
18	W	Nun-Eaton, Warwickshire.	7 4 11	54
19	Th	Beverly, Yorkshire.	2 Rises	Morn.
20	F	Days increased 2 hours 37 min.	6A 46 0	46
21	S	Norton, Oxfordshire.	8 6 1	34
22	D	Oculi, 3 Sunday in Lent.	9 21 2	20
23	M	Godalming, Surrey. (Fast.	10 35 3	4
24	Tu	St. Martin's Ap. & M.	11 48 3	48
25	W	Feversham, Kent.	Morn, 4	33
26	Th	Oundle, Northamptonshire.	1 0 5	19
27	F	Day 10 hours 46 min. long.	2 11 5	7
28	S	Chesterfield, Derbyshire.	3 16 5	54

MO	☉ Rises	☉ Sets	☿ Sets	♂ Sets	♂ Sets	♂ Sets	♂ Sets	♂ Rises	☾ Cl. fast.
1	7h 26	4 35	8 A 29	6 A 29	6 A 26	8 A 22	6 M 36	14	14
6	7 16	4 45	8 12	6 16	6 29	8 37	7 0	14	41
11	7 8	4 53	7 56	6 46	6 32	8 50	7 1	14	46
16	6 59	5 27	39 5	51 6	34 9	57	1 14	36	
21	6 49	5 11	7 24	5 38	6 37	9 20	Sets	14	4
26	6 30	5 22	7 0	5 27	6 41	9 35	5 A 31	13	17

MARCH hath xxxi Days.

M Decl.
D South

New Moon the 6th	} Day at	3 min. past 7 at Night.	17° 24
First Quarter the 13th		57 min. past 7 at Night.	6 5 28
Full Moon the 20th		14 min. past 6 Aftern.	11 3 31
Last Quarter the 28th		8 min. past 4 Aftern.	16 1 33
☉ in ♍ 19 D. 21 h.	☉ m.	Apparent Time.	21 0 N 26

1 D	Midlent Sunday	Davb.	4 M	14	7 M	4
2 M	Cedde or Chad. B. Lið.		5	2	8	38
3 Tu	Days increased 3 hours 18 min.		5	40	9	29
4 W	Melton Mowbray, Leicestershire.		6	10	10	18
5 Th	Blandford, Dorsetsh. Caersweye, Flintsh.		6	33	11	7
6 F	Levenham, Suffolk. Walden, Essex.		Sets		11	54
7 S	Perpetua Maurit. M.		6 A	26	0 A	39
8	Indica, & Sunday in Lent.		7	45	1	26
9 M	Day 11 hours 26 min. long.		9	5	2	13
10 Tu	Day Light begins 4 h. 24 min.		10	29	3	3
11 W	Days increased 3 h. 49 min.		11	54	3	55
12 Th	Creg. M. B. of R. & C.		Morn.		4	51
13 F	Duration of Twilight 1 h. 57 min.		1	18	5	49
14 S	Northop, Flintsh. Sevenoak, Kent.		2	36	6	50
15	Palm Sunday.		3	43	7	52
16 M	Penzance, Cornwall.		4	34	8	52
17 Tu	Malmesbury, Wilts. Hariff, Huntingd.		5	10	9	49
18 W	Ed. K. of West Sax. Loughbr Leic		5	37	10	43
19 Th	Abbots Bromley, Staff. Ruibin, Denb.		5	59	11	33
20 F	Good Friday		Rises		Morn.	
21 S	Benedict Abbot. (Fast)		7	6	0	18
22	Easter Day. Our SAVIOUR's Res.		8	21	1	3
23 M	Easter Monday.		9	36	1	48
24 Tu	Easter Tuesday.		10	50	2	32
25 W	Annunc. Lady D. Pr. EDWARD born.		Morn.		3	19
26 Th	Gloucester. St. Albans, Hertfordshire.		0	3	4	6
27 F	Atherstone, Warwicksh. Preston, Lanc.		1	12	4	54
28 S	Cobham, Surrey. Patrington, Yorksh.		2	12	5	44
29	Low Sunday.		3	5	6	36
30 M	Day 12 hours and 48 min. long.		3	47	7	27
31 Tu	Durham, lasts 3 Days		4	20	8	17

M D	☉ Rises	☉ Sets	☿ Sets	♂ Rises	♂ Sets	♀ Sets	♂ Sets	Cl. bef. ☉
1	6h 34'	5h 27'	6 A 59	6 M 39	6 A 44	9 A 44	5 A 53	12' 42"
6	6 24	5 37	6 44	6 22	6 47	9 59	6 33	11 35
11	6 14	5 47	6 29	6 6	50 10	14 7	10 10	10 16
16	6 4	5 57	6 15	5 48	6 54	10 28	7 42	8 50
21	5 54	6 7	Rises	5 33	6 58	10 43	8 2	7 20
26	5 44	6 17	M 50	5 18	7 2	10 56	8 2	5 47

APRIL hath xxx Days

M Decl.
D North.

New Moon the 5th
First Quarter the 12th
Full Moon the 19th
Last Quarter the 27th

Day at

33 min. past 7 Morn.
29 min. past 2 Morn.
44 min. past 7 Morn.
45 min. past 10 Morn.

1 4° 44'
6 6 38
11 8 30
16 10 18
21 12 1
26 13 40

1	W	All Fools-Day.	4	M	46	9	M	6
2	Th	Lutterworth, Leicestersh. <i>Salisb.</i> Wilts.	5		4	9		54
3	F	Richard B. of Chich.	5		21	10		41
4	S	St. Amb. B. of Mil.	5		38	11		27
5	D	2 Sunday after East. Old Lady Day.	●	Sets		0	A	13
6	M	From the Day of Easter in 15 Days.	8	A	17	1		3
7	Tu	Atherstone, Warwicksh.	9		45	1		56
8	W	Term begins.	11		14	2		52
9	Th	Day Light begins 3 ho. 12 min.		Morn.		3		51
10	F	Day 13 hours 32 min. long.	0		38	4		53
11	S	Newport-Pagnel, Bucks.	1		42	5		55
12	D	3 Sunday after Easter.	2		42	6		55
13	M	From the Day of Easter in 3 Weeks.	3		22	7		53
14	Tu	Days are now increased 6 h. 2 min.	3		52	8		46
15	W	Bewley, Hampshire. [Dorset.	4		14	9		36
16	Th	Dilton's-Marsh, Wilts. <i>Piddle-Town</i> ,	4		32	10		22
17	F	Malmesbury, Wilts.	4		46	11		7
18	S	Cobham, Surrey. <i>Derby</i> .	5		0	11		50
19	D	4 Sunday after Easter.	●	Rises			Morn.	
20	M	From the Day of Easter in 1 Month.	8	A	41	0		34
21	Tu	Modbury, Devonsh. <i>Rumney</i> , Kent.	9		54	1		20
22	W	Gisborough, Yorksh. <i>Shrewsb.</i> Shropsh.	11		5	2		7
23	Th	St. George. Martyr.		Morn.		2		55
24	F	Lincoln. <i>Pedleton</i> , Dorsetshire.	0		10	3		43
25	S	Saint Mark, the Evangelist.	1		6	4		35
26	D	Rogat S. Duke of Cumberland born	1		52	5		26
27	M	From the Day of Easter in 5 Weeks.	2		27	6		16
28	Tu	Soham, Cambridgeshire.	2		54	7		4
29	W	Rogation Week. (<i>Fash</i>)	3		17	7		51
30	Th	Holy Thursday, CHRIST'S Ascens.	3		34	8		37

M.D	☉ Rises	☉ Sets	☿ Rises	♂ Rises	♂ Sets	♀ Sets	♂ Sets	C. bef. ☉
1	3h 33'	6h 28'	5 M 29	4 M 58	7 A 5	11 A 10	7 A 42	3' 55"
6	5 23	6 38	5 11	4 42	7 9	11 21	7 52	24
11	5 13	6 48	4 54	4 25	7 12	11 28	Rises 0	58
16	5 4	6 57	4 38	4 9	7 16	11 34	4 M 40	Aft. 16
21	4 54	7 7	4 21	3 52	7 19	11 38	4 27	1 28
26	4 45	7 16	4 33	3 35	7 20	11 37	4 15	2 25

MAY hath xxxi Days,

[M] [D] [C] Decl. North.

New Moon the 4th
First Quarter the 11th
Full Moon the 18th
Last Quarter the 27th

Day at { 32 min. past 5 Afternoon.
54 min. past 8 Morn.
21 min. past 10 Night.
10 min past 2 Morn.

1 15° 13'
6 16 40
11 18 0
16 19 13
21 20 18
26 21 13

1	F	St. Phil. & Jac. Ap. & M.	3	M	49	9	M	23
2	S	Lancaster. Brecknock.	4		4	10		10
3	D	Exaudi. 6 Sunday after Easter.	4		19	10		58
4	M	☉ Eclipsed, Invisible. Term Ends.	7	Sets	11			48
5	Tu	Boston, Linc. Monmouth.	8	A	54	0	A	43
6	W	St. John Evang. ante port Lat.	10		23	1		43
7	Th	Bath, Som. Aidbor. Suff. Leek, St.	11		42	2		47
8	F	Philips-Norton, Som. (Fast Morn.				3		52
9	S	Bosworth, Leic. Tockingham, Gloucest.	0		45	4		55
10	D	Whit-Sunday. Descent of Holy Gh.	1		30	5		54
11	M	Whit-Mond y.	2		2	6		48
12	Tu	Whit-Tuesday. OLD MAY-DAY.	2		26	7		37
13	W	Ember Week. Tiddefwell, Derb.	2		44	8		23
14	Th	Denby. Wells, Som. Winchelsea, Suffex.	2		59	9		7
15	F	Chapel-le-frith, Derb. Chatham, Kent.	3		12	9		50
16	S	Caerwilly, Caerm. Cargurly, Flintsh.	3		25	10		33
17	D	Trinity Sunday.	3		40	11		17
18	M	☉ Eclipsed, Visible and Total.	7	Rises	Morn.			
19	Tu	Dunstan, Archb. C. Rochester.	8	A	54	0		3
20	W	Galgarth, Breckn. Wickham, Hants.	10		2	0		50
21	Th	Ashborn, Derb. St. Tiddy, Cornwall.	11		2	1		39
22	F	Term begins. Albrighton, Shropsh.	11		51	2		31
23	S	Bagborough, Som. Graies, Essex.		Morn.		3		21
24	D	1 S. after Trin. Pr. Fred. Will. born.	0		29	4		10
25	M	In 8 Days of the Holy Trinity.	0		59	4		59
26	Tu	Aug. first Archbishop of Canterbury	1		22	5		46
27	W	Venerable Bede, Pr.	1		41	6		30
28	Th	Bala. Merioneth. Hadstock, Devonsh.	1		55	7		15
29	F	K. Charles II. Birth, and Return.	2		9	8		0
30	S	Aldstone, Cumb. Workop, Nott.	2		23	8		46
31	D	2 Sunday after Trinity.	2		38	9		34

MD	☉ Rises	☉ Sets	☿ Rises	♂ Rises	♂ Rises	♀ Sets	♀ Rises	C. aft. ☉
1	4h 36	7h 23	3M 45	3M 18	4M 36	11A 31	4M 4	3 10
6	4 28	7 33	3 27	3 14	4 24	11 21	3 55	3 42
11	4 20	7 41	3 9	2 44	4 13	11 53	3 46	3 59
16	4 12	7 48	2 50	2 27	4 2	10 42	3 39	4 2
21	4 5	7 55	2 31	2 9	3 50	10 14	3 29	3 50
26	3 59	8 1	2 12	2 50	3 39	9 0	3 24	3 25

JUNE hath xxx Days.

M D Decl. North.

New Moon the 3d } 33 min. past 1 Morn.
 First Quarter the 9th } Day at { 22 min. past 4 Afternoon
 Full Moon the 17th } { 31 min. past 1 Afternoon
 Last Quarter the 25th } 32 min. past 2 Afternoon
 ☉ in 27 26 D. 19 h. 57 min. App. Time.

1	22	8'
6	23	44
11	23	9
16	23	24
21	23	29
26	22	24

1	M	Nicom. Rom. Tr. & M.	2	M	50	10	M	26
2	Tu	Daventry, Northampton.	3		20	11		24
3	W	☉ Eclipsed Invisible.		D	Sets		0	A 27
4	Th	Prince of Wales born.	10	A	29	1		32
5	F	Boniface Bp. of Mentz. M.	11		24	2		39
6	S	Venus Transits the Sun.		Morn.		3		42
7	D	3 Sunday after Trinity.		0	2	4		39
8	M	From the D. of the H.T. in 3 Weeks		0	29	5		31
9	Tu	Hadderfield, Suffex.		0	48	6		20
10	W	Princess Amelia born. Term Ends.		1	4	7		4
11	Th	St. Barnabas Ap. & M.		1	17	7		46
12	F	Barthow, Essex. Hadlow, Kent.		1	30	8		29
13	S	Kidderminster, Worcest.		1	43	9		12
14	D	4 Sunday after Trinity.		2	0	9		56
15	M	Royston, Somersetshire.		2	17	10		43
16	Tu	Wrexham, Denb.		2	41	11		31
17	W	St. Alban, Mart.		D	Rises		Morn.	
18	Th	Wellington, Shropsh. Wigan, Lanc.		9	A 43	0		21
19	F	Ington, Yorkshire.		10	26	1		12
20	S	Transf. of Edw. K. of West. Sax.		10	57	2		1
21	D	5 Sunday after Trinity.		11	22	2		50
22	M	King GEORGE II Inaug.		11	40	3		37
23	Tu	Armington, Devonshire. (Fast		11	57	4		22
24	W	St. John Bapt. Midsummer Day.		Morn.		5		5
25	Th	King GEORGE II. proclaimed 1727.		0	11	5		47
26	F	Chapel-Silvas, Kent. Penshore, Worc.		0	24	6		31
27	S	Boston, Linc. Burton. Staff. (Fast		0	37	7		17
28	D	6 Sunday after Trinity.		0	53	8		7
29	M	St. Peter Ap. & M.		1	14	9		0
30	Tu	Brigdenorth, Shropsh.		1	41	9		58

M D	☉ Rises	☉ Sets	☿ Rises	♂ Rises	♂ Rises	♀ Sets	♂ Rises	☾ C. at ☉
1	3h 53'	8h 41'	1M 48'	1M 26'	3M 26'	8A 50'	3M 22'	2' 41"
6	8 49'	8 11'	28 12'	6 47'	3 16'	8 7'	3 25'	3 52'
11	32 46'	8 14'	8 9'	47 57'	3 7'	Rises	Sets	0 55'
16	32 44'	8 16'	0 48'	0 57'	2 56'	3 M 5'	8A 58'	0 bf. 7'
21	32 43'	8 17'	1 28'	0 7'	2 47'	2 44'	9 22'	1 10'
26	32 44'	8 16'	0 8'	1A 44'	2 39'	2 25'	9 33'	2 1'

New Moon the 1 st	} Day at	31 min. past 8 Morn.	1239 8'
First Quarter the 9 th		13 min. past 2 Morn.	622 10 12
Full Moon the 17 th		38 min. past 4 Morn.	1123 17 6
Last Quarter the 24 th		10 min. past Midnight.	1621 21 21
New Moon the 31 st		21 min. past 3 Afternoon	2120 27

1	W	Hilb, Kent. <i>Workshop</i> , Nottinghamsh.	2	M	20	11	M	3
2	Th	Visit. of the B. V. Mary.						
3	F	Dereham, Norf. <i>Shrewsbury</i> .						
4	S	Transl. of S. Mart. B. & C.						
5	D	Sun. after Trin. Old Midsummer.						
6	M	Bungey, Suff. <i>Lancaster</i> . <i>Liverpool</i> .						
7	Tu	Thos. a Becket.						
8	W	Folestone, Kent. <i>Machynleth</i> , Montg.						
9	Th	Bromley, Devonsh.						
10	F	Howden, York. <i>Wolverhampton</i> , Staff.						
11	S	Peterborough, Northampt.						
12	D	8 Sunday after Trinity.						
13	M	Huntingdon. <i>Woburn</i> , Bedf.						
14	Tu	Days decreased 26 min.						
15	W	Swithin, B. of Winchester translated						
16	Th	Winchest. Hampsh. <i>Woodburst</i> , Dorset.						
17	F	Leek, Staff. <i>Stevenage</i> , Hertf.						
18	S	Denbigh. Exeter. <i>Huntingdon</i> .						
19	D	9 Sunday after Trin.						
20	M	Marg. V. & M. Antioch.						
21	Tu	Alberwin-Green, Hamp. <i>Foulness</i> , K.						
22	W	St. Mary Magd. <i>Pres. Car. Mat. born</i>						
23	Th	Daventry, North. <i>Earl-Soham</i> , Suff.						
24	F	Faringham, Kent. (Fast.						
25	S	St. James Ap. & M. (Derby.						
26	D	10 Sunday after Trinity.						
27	M	Headon, Yorksh. <i>Portsmouth</i> , Hants.						
28	Tu	Emlin, Worc. <i>Fairford</i> , Gloucest.						
29	W	Day 15 hours and half long.						
30	Th	Caerlton, Monm. <i>Linton</i> , Camb.						
31	F	Dog Days begin. <i>Honiton</i> , Devonsh.						

MD	⊙ Rifles	⊙ Sets	h Rifles	h Rifles	♂ Rifles	♀ Rifles	♂ Sets	Class
1	3h 46'	8 14	11 A 43	11 A 23	2 M 32	2 M 8	9 A 35	3' 17"
6	3 49	8 11	11 24	11 4	2 25	1 53	9 31	4 9
11	3 53	8 7	11 4	10 45	2 19	1 38	9 21	4 54
16	3 58	8 2	10 43	10 24	2 13	1 26	9 7	5 28
21	4 14	7 56	10 24	10 5	2 8	1 17	8 52	5 50
26	4 11	7 49	10 4	10 46	2 4	1 8	8 30	5 57

AUGUST hath xxxi Days.

Decl. North.

First Quarter the 7th
Full Moon the 15th
Last Quarter the 23d
New Moon the 29th

Day at
15 min. past 1 Afternoon.
18 min. past 7 Afternoon.
28 min. past 7 Morning.
17 min. past 11 at Night.

1	170	51
6	16	39
11	15	11
16	13	40
21	12	1
26	10	19

1	S	Lammas Day. Bath, Som.	D	Sets	0	A	55
2	D	11 Sunday after Trinity.	9	A	5	1	52
3	M	Carnarvon. Daventry, Northamp.	9	21	2	44	
4	Tu	Epsom, Surry. Thurst, Yorksh.	9	36	3	31	
5	W	Boston, Linc. Doncaster, Yorksh.	9	50	4	16	
6	Th	Transfig. of our Lord.	10	5	5	1	
7	F	Name of Jesus.	10	21	5	46	
8	S	Furfnut, Cornw. Ruthin, Denb.	10	41	6	32	
9	D	12 Sunday after Trinity.	11	8	7	20	
10	M	S. Laur. Arch D. of R. & M.	11	42	8	8	
11	Tu	Newcastle, Northumb. Shrewsbury.	Morn.	8	58		
12	W	Old Lammas-Day. York.	0	27	9	50	
13	Th	Northamp. St. Eades, Hert. Stow, Suff.	1	23	10	41	
14	F	Days are shortened 2 Hours.	2	28	11	29	
15	S	Bakewell, Derb. Preston, Lanc.	Rises	Morn.			
16	D	13 Sunday after Trinity.	8	A	9	0	16
17	M	Bardney, Hampshire.	8	24	1	1	
18	Tu	Day 14 h. 24 min. long.	8	37	1	45	
19	W	Dartington, Devonshire.	8	50	2	27	
20	Th	Amplitude N. 16°. 35'.	9	3	3	11	
21	F	Hearnor, Derb. Horncastle, Linc.	9	21	3	56	
22	S	Bracknell, Berks. Penkridge, Staff. (Fast)	9	41	4	44	
23	D	14 Sunday after Trinity.	10	9	5	36	
24	M	St. Barthol. Ap. & M.	10	47	6	33	
25	Tu	Llanerchemith, Angl. Milver. Som.	11	42	7	34	
26	W	Carlisle. Huntingdon. Worcester.	Morn.	8	39		
27	Th	Coventry, Warw. Lambeth, Surry.	0	55	9	43	
28	F	St. Au. B. of Hip C. D.	2	21	10	44	
29	S	Beheading of John Bapt.	D	Sets	11	42	
30	D	15 Sunday after Trinity.	7	A	30	0	A 36
31	M	due E. 6 ho. 25' Alt. 12°. 20'.	7	47	1	25	

M L	⊙ Rises	⊙ Sets	h Rises	h Rises	♂ Rises	♀ Rises	♂ Sets	Cl. bef.
1	4h 20	7 40	9 A 40	9 A 22	1 M 59	1 M 08	A 2	5' 47"
6	4 27	7 32	9 21	9 3	1 56	0 57	7 35	5 21
11	4 35	7 24	9 2	8 43	1 54	0 55	7 7	4 41
16	4 44	7 15	8 44	8 24	1 53	0 55	Rises 3	48
21	4 53	7 6	8 25	3 4	1 52	0 57	4 M 11	2 41
26	5 2	6 57	8 1	7 45	1 51	1 0	13 4	1 23

1st Quarter the 6th } Day at { 40 min. past 7 Morn.
 Full Moon the 14th } { 29 min. past 9 Morn.
 1st Quarter the 21st } { 37 min. past 2 Aftern.
 Full Moon the 28th } { 19 min. past 9 Morn.
 of ☉ in ♌ 22 D. 9 h. 31 min. App. Time.

1	8°	10'
6	6	19
11	4	20
16	2	30
21	0	33
26	1 S	24

1	Tu	Giles Abbot & Conf.	8	A	0	2	A	11
2	W	Richmond-Road, North.	8	15	2	5	8	
3	Th	Brecknock, 6 Days. Bridgeflood, Dev.	8	30	3	4	4	
4	F	Bartholomew, Lond. Monmouth, Norw	8	51	4	3	1	
5	S	Chipping Norton, Oxf. Kilnotton, Cornw	9	14	5	20		
6	D	16 Sunday after Trinity.	9	46	6	9		
7	M	Dog Days End.	10	28	7	0		
8	Tu	Patib. of the B. V. M. Wirksw. Der.	11	19	7	5	2	
9	W	Atherstone, Warw. Stourbridge, Worc.	Morn.	8	4	3		
10	Th	Day 12 hours 56 m. long.	0	21	9	3	2	
11	F	Tallowdown. Dorsetsh.	1	31	10	1	8	
12	S	Whitehaven, Cumb. Wilton, Wilts.	2	45	11	5		
13	D	17 Sunday after Trinity.	3	59	11	50		
14	M	Holy Cross Day.	Rises	Morn.				
15	Tu	Durham. (L. Elstob.)	7	A	7	0	3	3
16	W	Ember Week.	7	20	1	1	8	
17	Th	Lambert, Bish. & M.	7	35	2	4		
18	F	Masbam, Yor. Southw. Stirbitch, Cam.	7	54	2	5	1	
19	S	Carlisle, Cumb. Northampton. (Fast	8	20	3	4	2	
20	D	18 Sunday after Trinity.	8	53	4	3	7	
21	M	St. Matthew, Ap. Ev. & M.	9	42	5	3	7	
22	Tu	Allchurch, Worcest.	10	48	6	3	9	
23	W	Halkin, Wilts. Paincastle, Radnor.	Morn.	7	4	1		
24	Th	Chebbunt, Hertf. Kanmyneck, Shropsh	0	7	8	4	2	
25	P	Chesterfield, Derb Rippon, Yorksh.	1	35	9	3	9	
26	S	St. Cyprian, Archb. of Car. & M.	3	2	10	3	3	
27	D	19 Sunday after Trinity.	4	27	11	2	4	
28	M	Gloucester. Tuxford, Nott.	D	Sess	0	A	1	2
29	Tu	St. Michael and all Angels	6	A	28	0	5	8
30	W	St. Jer. Pr. C. & D. Wrexham, Denb.	6	45	1	4	4	

M.D.	⊙ Rif	⊙ Sets	h Rif	u Rif	♂ Rif	♀ Rif	♀ Rif	Sl. aft	⊙
I	5h 14	6 45	7A 44	7A 23	1M 51	1M 9	3M 30	0	24
6	5 23	6 36	7 25	7 4	1 51	1 16	5 42	2	1
II	5 33	6 26	7 6	6 45	1 50	1 26	4 8	3	41
16	5 43	6 16	6 48	6 27	1 50	1 38	4 42	5	27
21	6 9	6 c	6 29	Sets	1 49	1 50	5 17	7	10
26	6 7	5 52	6 11	5M 30	1 46	2 35	5 52	8	51

OCTOBER hath xxxi Days.

M D South

First Quarter the 6th
Full Moon the 13th
Last Quarter the 20th
New Moon the 27th

Day at { 45 min. past 2 Morn.
52 min. past 10 Night.
6 min. past 9 Night.
22 min. past 10 Night.

1 30
6 5
11 7
16 9
21 10
26 12

1	Th	Montg. B. of Rhemes.	7	A	2	2	A
2	F	Nottingham, lasts 8 Days, for Hops,	7	24	3	M	2
3	S	Cheese and all Sorts of Cattle	7	52	4	T	4
4	D	30 Sunday after Trinity.	8	29	5	W	5
5	M	Llanwilling, Montg. Lampert, Som.	9	17	5	T	5
6	Tu	faith, V & M. Hull, Yorksh.	10	16	6	A	5
7	W	Billericay, Essex. Counteys-Court, Wilt.	11	23	7	S	3
8	Th	Abingdon, Berks. Challock, K. Swansey.	Morn.	8	21	D	8
9	F	St. Denis Areop. B. & M. Lancast.	0	35	9	M	8
10	S	Old Michaelmas-Day.	1	49	9	T	5
11	D	31 Sunday after Trinity.	3	4	10	W	3
12	M	Banbury, Oxf. Devizes, Wilts.	4	19	11	T	2
13	To	Translat. of K. Ed. Conf.	D	Rises	Morn.	3	F
14	W	Buttonmoor, Shropsh. Worksop, Not.	5	A	50	0	7
15	Th	Falsley, Warw.	6	7	0	54	5
16	F	Bosworth, Leic. Hay, Breckn.	6	29	1	45	6
17	S	Etheldred, Virg. Lynn, Norf.	7	1	2	41	7
18	D	22 Sunday after Tr. St. Luke Evang.	7	45	3	40	8
19	M	Market-Harbor. Leic. Ousford. Yarm.	8	45	4	42	9
20	Tu	Ashborne, Derb. Co'chester. Hereford.	10	2	5	44	20
21	W	Heanor, Derb. Banbury, O. Gainsh. L.	11	24	6	44	21
22	Th	King GEORGE II. Crowned, 1727.	Morn.	7	41	22	22
23	F	Ripley, Derb. Saff Wald. Eff. Stock. Ch.	0	50	8	34	23
24	S	Tamworth, Staff. Windsor, Berks.	2	16	9	23	24
25	D	23 Sunday after Trin.	3	37	10	11	25
26	M	Chepflow, Monm. Grantham, Linc.	4	58	10	57	26
27	To	Eclipsed Inivible. (Fast)	D	Sets	11	44	27
28	W	St. Sim. & Jude. Ap. & M.	5	A	11	0	A 28
29	Th	Askripg, Yor. Bourne, Lin. Burton, Staff	5	32	1	14	29
30	F	Banbury, Ox. Ely, Cam. Maidenhead, B.	5	56	2	5	30
31	S	Bridgenorth, Shrop. Devizes. Settle, Y.	6	27	2	56	

M	D	☉ Rises	☉ Sets	☿ Sets	♂ Rises	♀ Rises	♂ Sets	Cl. aft. ☉
1	6h	12	5h 47	6 9	5M 23	1M 50	2M 18	5A 59 10 30
6	6	22	5 37	5 48	4 4	1 49	2 31	5 51 12 0
11	6	32	5 27	5 29	4 45	1 48	2 45	5 44 13 20
16	6	42	5 17	5 8	4 27	1 45	3 0	5 36 14 28
21	6	51	5 8	4 48	3 50	1 44	3 15	5 31 15 21
26	7	14	58	4 27	3 28	1 42	3 30	5 24 15 56

NOVEMBER hath xxx Days. M ☉ Decl. D. South.

1st Quarter the 4th	} Day at {	11 at Night.	11 14 37
1st Moon the 12th		34 min. past 11 Morn.	6 16 9
1st Quarter the 19th		34 min. past 4 Morn.	11 17 36
1st Moon the 26th		half past 2 Afternoon.	16 18 54
			21 20 4
			26 21 4

124 Sunday after Trin. All Saints.	7A 12	3A 48
M Leek, Staff. Loughbor. Leic All Souls	8 7	4 40
Tu On the Morrow of all Souls.	9 10	5 30
W Applebaw, Hants.	10 19	6 18
Th Papias Conspiracy. Beverly, Yorksh.	11 32	7 14
F Leonard, Conf. Term Begins.	Morn	7 48
S Prince Hen. Fred. born, 1745.	0 46	8 31
D 25 Sunday after Trinity.	1 59	9 15
M Darlington, Durham. Stamford, Linc.	3 15	10 0
Tu King Geo. II. born, 1683.	4 33	10 46
W St Martin Bp. and Conf.	5 54	11 36
Th Eclipsed Invisible, but Total.	) Rises Morn.	
F Bricius, Bp. York, Ch. Mesban.	5 A 0	0 30
S Brecknock, 6 Days. Carmarthen.	5 39	1 29
D 26 Sunday after Trinity.	6 34	2 31
M Andover, Hamps. Caerfilly, Glam.	7 46	3 36
Tu Hugh, Bp. of Linc. Launceston.	9 9	4 38
W In eight Days of Saint Martin.	10 37	5 36
Th Woodcot, Oxf. Yarme, Yorksh.	Morn.	6 29
F Edmund, K. & M.	0 1	7 29
S Garfham, Lanc. Lamport, Som.	1 23	8 6
D 27 Sunday after Trinity.	2 42	8 52
M St. Clem. I. B. of R. & M.	3 58	9 36
Tu Days are now decreased 8 ho. 12 m.	5 14	10 20
W Prince W. Henry born, 1734.	6 32	11 6
Th Eclipsed, Invisible.	D Sets 11 55	
F Littlebury, Essex.	4A 22	0A 45
S Term Ends Gloucester. Lincoln. (Fast	5 0	1 34
D Advent Sunday.	5 50	2 35
30 M S. And, A. & M. Pra. Dow. Wales b.	6 52	3 10

M D	☉ Rises	☉ Sets	☿ Sets	♂ Rises	♀ Rises	♀ Sets	Cl. alt. ☉
1	7h 12	4h 47	4 M 1	3 M 3	1 M 39	3 M 47	5 A 10 16 14
6	7 21	4 38	1 40	2 42	1 36	4 15	16 7
11	7 29	4 30	3 18	2 21	1 32	4 16	15 40
16	7 37	4 22	2 56	2 11	1 28	4 31	14 53
21	7 44	4 15	2 31	1 40	1 23	4 45	13 42
26	7 51	4 08	2 12	1 20	1 17	4 58	12 12

DECEMBER hath xxxi Days.

M D South

First Quarter the 4th } 54 min. past 6 at Night
 Full Moon the 11th } Day at } 11 min. past 11 Night.
 Last Quarter the 18th } 3 min. past 2 Aftern.
 New Moon the 26th } 55 min. past 8 Morn.

☉ 15 21 D. 1 h. 7 min. App. Times

1	Tu	Retberham, Yorksh. (Abr. Horsfall.)	7 A 58	4 A 5
2	W	Hoxne, Suffolk.	9 9	4 52
3	Th	Darlington, Durham. (Luke Elstob.)	10 21	5 36
4	F	Atherstone, War. Bangor, Thurok, York	11 32	6 16
5	S	Colford, Gloucestershire.	Morn.	6 59
6	D	2 Sunday in Advent.	0 45	7 42
7	M	Day 7 hours 56 min. long.	1 59	8 26
8	Tu	Concept. of the B. V. M.	3 15	9 13
9	W	Bradford, Wilts.	4 37	10 4
10	Th	Kimbolton, Hunt. Newport, Shrop.	6 41	11 0
11	F	Bewdley, Worc Preston, L. Roch. Kent.	Rises Morn	
12	S	Bedal, York. Chorley, Dev. Shrewsbury	4 A 7	0 2
13	D	3 Sunday in Advent.	5 15	1 6
14	M	Days decreased 8 ho. 46 min.	6 38	2 13
15	Tu	Atherstone, Warw. Nantwich, Chesh.	8 6	3 15
16	W	Ember Week. D Sapientia.	9 35	4 13
17	Th	Exeter, Devonsh. Grantham, Linc.	11 0	5 6
18	F	Spalding, Linc.	Morn.	5 55
19	S	Bedford, Northampton. (Fast	0 19	6 39
20	D	4 Sunday in Advent.	1 35	7 24
21	M	St. Thomas, Ap. & M.	2 52	8 8
22	Tu	Newport-Keams, Montgom. [past 5.	4 8	8 53
23	W	Day-light b 1 m af. 6 Tw. e. 59 m.	5 22	9 39
24	Th	Durat. of Twil. 2 h. 11 m. (Fast	6 35	10 26
25	F	CHRISTMAS-DAY.	7 44	11 17
26	S	St. Stephen, First Martyr.	Sets 0 A	7
27	D	1 Sunday af. Chr. S. John, Ap. & Ev.	4 A 27	0 58
28	M	Innocents Day.	5 33	1 47
29	Tu	Cockbill, Som.	6 43	2 35
30	W	Maiden-Bradley, Wilts. [this Year]	7 34	3 19
31	Th	Silvest. B. of Rome (Good bye, for	9 3	4 1

M D	☉ Rises	☉ Sets	☾ Sets	☾ Sets	☿ Rises	♀ Rises	☿ Sets	Cl. aft ☉
1	7h 54'	4h 3'	1M 52	1 M 0	1M 11	5M 12	4 A 18	10' 25
6	8 1	3 59	1 30	0 39	1 4	5 25	Rises.	8 21
11	8 5	3 55	1 9	0 19	0 57	5 40	6 M 23	6 6
16	8 7	3 53	0 47	11 A 55	0 50	5 53	6 7	3 42
21	8 8	3 52	0 26	11 35	0 42	6 56	9 1	11
26	8 7	3 53	0 4	11 17	0 33	6 17	6 17	1 bef. 20

A TABLE of all the **KINGS** and **QUEENS** of *England*, since the Conquest.

The Year of the Birth of each King and Queen; also the Year, Month, and Day, whereon they began to reign: beginning the Year the first Day of January. 1761.

The Length of each Reign.

The Year expired since each Reign began and ended.

Names.	Born.	Began to Reign.	Y. M. D.	Beg	End
William Conq.	1027	1066 October 14	20 10 26	695	674
William Rufus	1057	1087 Septem. 9	12 10 24	674	661
Henry I.	1068	1100 August 2	35 4 0	661	626
Stephen	1105	1135 Decem. 1	18 10 24	626	607
Henry II.	1132	1154 October 25	34 8 11	607	572
Richard I.	1156	1189 July 6	9 9 0	572	562
John	1166	1199 April 6	17 6 13	562	545
Henry III.	1207	1216 October 19	56 1 0	545	489
Edward I.	1239	1272 Novem. 16	34 7 21	489	454
Edward II.	1284	1307 July 7	19 6 13	454	434
Edward III.	1312	1327 January 20	50 5 1	434	384
Richard II.	1366	1377 June 21	22 3 8	384	362
Henry IV.	1367	1399 Septem. 29	13 5 21	362	348
Henry V.	1389	1413 March 20	9 5 11	348	339
Henry VI.	1421	1422 August 31	38 6 4	339	300
Edward IV.	1442	1461 March 4	22 1 5	300	278
Edward V.	1471	1483 April 9	0 2 13	278	278
Richard III.	1443	1483 June 22	2 2 0	278	276
Henry VII.	1457	1485 August 22	23 8 0	276	252
Henry VIII.	1492	1509 April 22	37 9 6	252	214
Edward VI.	1537	1547 January 28	6 5 8	214	208
Mary I.	1516	1553 July 6	5 4 11	208	203
Elizabeth	1533	1558 Novem. 17	44 4 7	203	158
James I.	1566	1603 March 24	22 0 3	158	136
Charles I.	1600	1625 March 27	23 10 3	136	112
Charles II.	1630	1649 January 30	36 0 7	112	76
James II.	1633	1685 February 6	4 0 7	76	72
{ William III.	1650	} 1689 Feb. 13	5 10 15	72	59
{ Mary II.	1662		13 0 23	72	67
Anne	1665	1702 March 8	12 4 24	59	47
George I.	1660	1714 August 1	12 10 10	47	34
George II.	1683	1727 June 11	whom God preserve		

A Compendious TABLE of INTEREST,

Shewing the Interest of any Sum of Money, from a Million to a Pound; for any Number of Days, at any Rate of Interest.

N ^o .	l.	s.	d.	q.	N ^o .	l.	s.	d.	q.
1000000—	2739	14	6	0,99	1000—	2	14	9	2,14
900000—	2465	15	0	3,29	900—	2	9	3	3,12
800000—	2191	15	7	1,59	800—	2	3	10	0,11
700000—	1917	16	1	3,89	700—	1	18	4	1,10
600000—	1643	16	8	2,19	600—	1	12	10	2,86
500000—	1369	17	3	0,49	500—	1	7	5	3,70
400000—	1095	17	9	2,79	400—	1	1	11	0,50
300000—	821	18	4	1,09	300—	0	16	5	1,40
200000—	547	18	10	3,40	200—	0	10	11	2,30
100000—	273	19	5	1,70	100—	0	5	5	3,01
90000—	246	11	6	0,32	90—	0	4	11	0,71
80000—	219	3	6	0,96	80—	0	4	4	2,41
70000—	191	15	7	1,59	70—	0	3	10	0,11
60000—	164	7	8	0,22	60—	0	3	3	1,81
50000—	136	19	8	2,85	50—	0	2	8	3,51
40000—	109	11	9	1,48	40—	0	2	2	1,21
30000—	84	3	10	0,11	30—	0	1	7	0,90
20000—	54	15	10	2,74	20—	0	1	1	0,60
10000—	27	7	11	1,37	10—	0	0	6	2,30
9000—	24	13	1	3,23	9—	0	0	5	3,67
8000—	21	18	4	1,10	8—	0	0	5	1,04
7000—	19	3	6	2,96	7—	0	0	4	2,41
6000—	16	8	9	0,82	6—	0	0	3	3,78
5000—	13	13	11	2,58	5—	0	0	3	1,15
4000—	10	19	2	0,55	4—	0	0	2	2,52
3000—	8	4	4	2,41	3—	0	0	1	3,89
2000—	5	9	7	0,27	2—	0	0	1	1,26
1000—	2	14	9	2,14	1—	0	0	0	2,69

R U L E.

Multiply the Sum by the Number of Days; and that Product by the Rate per Cent. Then cut off the two last Figures to the Right Hand, and the rest you must find in the Table.

Example, What is the Interest of 100 l. for 365 Days at 5 per Cent.

N^o. of Days 365

multiply by 100

Product 36500

multiply by 5 Rate p. Cent.

182500

Then in the Table

against 1000 is 2 14 9 2,14

800 2 3 10 0,11

20 0 1 1 0,60

5 0 0 3 1,15

Ans^r. 5 0 00,00

The GENT: Diary, or, Math. Repository. 17

A CALCULATION of a *Lunar Eclipse*, which will happen
in the Year 1761, for the *Meridian of London*; by
Mr. THO. ALLEN.

	D. H. M.
Equal Time of the Orbit $\odot$ is <i>May</i>	12 10 35 57
Place of the $\odot$ in $\odot$	28 3 15
Place of the $\odot$ in her Orbit $\odot$	28 3 15
Mean Anomaly $\odot$	10 18 6 36
Place $\odot$'s Apog. in $\odot$	4 15 33
Annual Argument	10 23 47 42
Moon's North Node, in $\odot$	0 1 28
Argument of Latitude	5 28 1 47
Latitude $\odot$ N. D.	0 10 39
Equation of Time, add	D. H. 3 59
Apparent Time of the Orbit $\odot$	18 10 19 56
True Hourly Motion $\odot$ $\odot$	27 49
Time of Reduction sub. and add.	1 1
Apparent Time of the $\odot$ Ecliptic $\odot$	18 10 14 56
$\odot$ Middle	10 16 58
Horizontal Parallax $\odot$	10
Sum	54 10
Semidiameter $\odot$ Sub.	54 20
Semid. $\odot$ Shadow	15 53
Semid. $\odot$ add	38 27
Sum	14 53
Lat. $\odot$ sub.	53 20
Parts deficient	10 39
Digits eclipsed	42 31
Motion $\odot$ of half Duration $\odot$	17 16 30
Time $\odot$	H 52 17
Motion $\odot$ of half Duration of total Darkness $\odot$	1 52 47
Time $\odot$	21 6
Hence the Beginning of the Eclipse is <i>May</i>	D H 45 30
Beginning of total Darkness	18 8 24 11
Ecliptic $\odot$	9 31 28
P. M. Middle of the Eclipse	10 14 56
End of total Darkness	10 16 58
App. Time. End of the Eclipse	11 2 28
Duration of total Darkness	12 9 45
Duration of the Eclipse	1 31 0

Mr. Allen also observes, That on *June 6, 1761*, will be a *Transit of Venus* over the *Sun's Disk*; the *Times, &c.* are as follows:

At Spalding. At the Hague.

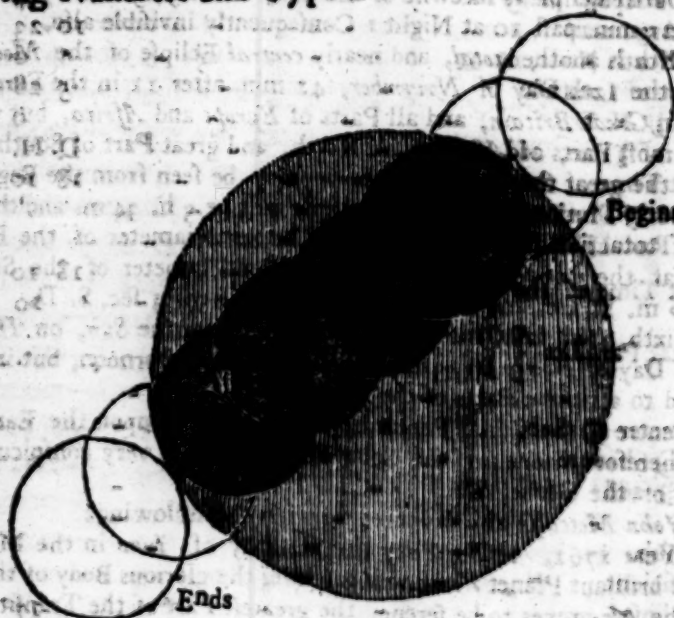
	D	H		D	H	
Immersion Yuns	6	2	24	6	2	40
Middle - - -		5	35		5	51
Emerison - -		8	46		9	2

10 Of the Eclipses this Year 1760.

Computations of the Eclipses of the Sun and Moon, which will happen in the Year 1761. Sent us by Mr. John *Milnes*.

The First, is of the Sun, on Monday the 4th Day of May, 43 Minutes past 5, in the Afternoon apparent Time; but invisible here, and to all known Parts of the Earth.

The Second, is a total Eclipse of the Moon, on Monday the 18th Day of May, and (if Clouds interpose not) will be visible from the Beginning to the End; as appears from the following Numbers and Type:



Night	EA. P.	London	York	Wentworth	Richmond	L. D. N. D.	to 20
		H. m. s.	H. m. s.	H. m. s.	H. m. s.	Eccent.	59 64
Eclipse	Beg.	8 31 56	8 27 56	8 26 26	8 25 8	L. A. 8 29 55	9
Centr.	Ing.	9 4 58	9 0 58	8 59 28	8 58 10	H. P. 8 54 51	51
Total	D. Beg.	9 39 5	9 35 5	9 33 35	9 26 17	H. M. 9 27 51	51
Eclipsic	8	10 25 12	10 21 22	10 19 52	10 20 34	Somid. 10 14 51	51
Mid. of Ecl.	10 27 38	10 23 38	10 22 8	10 20 40	10 20 40	Sh. 10 39 4	4
Total	D. Ends	11 16 11	11 12 11	11 10 41	11 9 23	D. Ec. 11 51 24	24
Centr.	Egr.	11 50 18	11 46 18	11 44 48	11 43 30	D. Ec. 11 37 3	3
Eclips.	ends.	12 23 20	12 19 20	12 17 50	12 16 32	D. Ec. 12 47 53	53

But the Times of the Middle of this Eclipse, from different Tables, for the Meridian of London, are as follows:

Brent's, according to the Theory

Dr. Halley

Palladium (1757)

Whiston, according to Plumb

At the Beginning of this Eclipse, the Moon will be Vertical to the Indian Ocean, East of the Island of Madagascar, Lat. 19° 18' 3" Long. 51° 7' E. from London. At the Middle to the South Part of Africa,

Lat. 10° 12' S. from London. At the End to the South Part of Africa,

The GEN. Diary, or Math. Repository. 19

10° 36' S. Lo. 23° 5' E. And at the End of the Eclipse. Vertical
 the Ethiopian Ocean, South of the Island of *St. Helena*, Lat. 19° 54'
 and Long. 4° 56' W. from London: Therefore the Eclipse will be vi-
 sible, over all *Africa*, greatest Part of *Europe* and *Asia*, *South America*,
 and the *British Plantations* in *North America*: But, in the *East Indies*,
 Part of *Siberia*, *Tartary*, and *China* the Moon sets eclipsed; and rises
 eclipsed in *America*; the N. W. of *Ireland* and *Scotland*, the N. Parts of
Sweden, and the North East Parts of *Russia*.

The Third Eclipse is a solar one, on *Wednesday* the 2d Day of *June*,
 Minutes after One in the Morning: Therefore invisible.

The Fourth Eclipse is likewise of the *Sun*, on *Tuesday* the 27th Day of
Febr. 25 min. past 10 at Night: Consequently invisible also.

The Fifth is another total, and nearly-central Eclipse of the *Moon*, on
Thursday the 12th Day of *November*, 41 min. after 11 in the Forenoon,
 visible in *Great Britain*, and all Parts of *Europe* and *Africa*, but will be
 visible to most Parts of *Asia*; to all North, and great Part of *South Ame-*
rica: In the great *South Sea*, where it may be seen from the Beginning
 to the End: The Duration of the Eclipse will be 3 h. 34 m. and the Du-
 ration of total Darkness 1 h. 33 m. The Semidiameter of the Earth's
 shadow at the Moon is 44 m. 11 sec. Semidiameter of the Sun and
 Moon 16 m. 16 sec. and the Moon's Latitude 2 m. 3 sec. S. D.

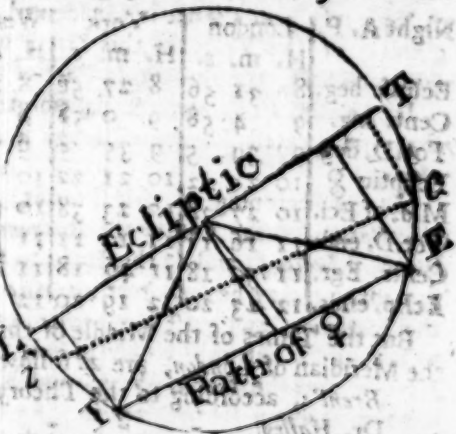
The Sixth, and last this Year, is an Eclipse of the *Sun*, on *Thursday*
 the 26th Day of *November*, 36 min. past 2 in the Afternoon, but invisible
 here, and to all these Parts of the World.

The Centre of the Lunar Penumbra does not come upon the Earth this
 Year; therefore, none of the Solar Eclipses can be very conspicuous on
 any Part of the Globe, &c.

Mr. *John Metcalfe* also favoured us with the following:

This Year 1761, on *Saturday* the 6th Day of *June* in the Morning,
 the most brilliant Planet *Venus* will pass over the glorious Body of the *Sun*;
 and, if the Air proves to be serene, the greatest Part of the Transit will be
 visible, according to the following Calculation, from Dr. *Halley's* Tables:

	R. Obser. Paral.			
June 1761. AM.	h	m	s	m
AT.	2	2	+	
First Contact ☿ ☉	2	5	23	6 52
Central Ingress	2	16	41	6 45
wholly on Disk	2	28	15	6 39
nearest ap. of Cent	3	24	50	3 25
Ecliptic Conjunct.	3	46	17	3 18
Time of Emergence	8	12	19	1 21
Central Egress	8	31	54	1 41
End of the Transit	8	43	12	2 1
Geoc. Lat. ☿ S. A.		9	51	+ 21



But, Dr. *Halley* himself, in the *Philosophical Transactions*, No. 384,
 has given us the Time of this Transit, as follows:

The Beginning 2h. 5m. 55s. June 6, 1761. In the Morning.
 Middle 2h. 5m. 55s. June 6, 1761. In the Morning.
 End 2h. 5m. 55s. June 6, 1761. In the Morning.
 Inclination of Orbit ☿ 2° 18' of Path, i. e. to the Parallel of Declination

20 Transit of VENUS over the SUN. 1761.

Long. ☉ and Venus at Ecliptic ☿	II	15° 35' 50"
Aphelion of Venus	—	7 29 17
Ascending Node Venus	II	14 29 36
Dist. ☉ and Venus from the ascending Node	I	6 13 40
Inclination of the Orbit Venus	—	3 55 39
Semidiameter of the ☉	—	15 50 24
Ditto, of Venus	—	36
Motion of Venus in its Orbit, during the Transit	—	24 50
Ditto, reduced to the Ecliptic	—	24 41
Visible Lat. Venus at Ingress I	—	7 47
Ditto, at the Egress E	—	11 29
Angle visible Path Venus	—	8 31 35
Elongation Venus at the Point I	—	13 47
Ditto, at E	—	10 54
Angle of Incidence	—	52 1 44
Angle LCI=Arch LI	—	29 26 39
Arch TE=Angle TCE	—	46 29 50
Mean hourly Motion Venus à ☉	—	3 57
True Motion Venus à ☉ in 3 h. before ☿	—	11 49 49
Ditto in 3 h. after Conjunction	—	11 51 51
Angle Ecliptic with the Vertical ☿	—	56 2 12
Dist. ☉ and Venus à Nonagesima Degree	—	26 27 11
Right Ascension ☉ and Venus at ☿	—	74 21 29
Altitude Venus at Conjunction	—	15 23 11
Ditto, at Sun's Limb E=	—	40 53 18

Logarithm dist. Venus à ☉ = 48611917

Log. of the dist. ☉ à ☉ = 5,0066887

Log. dist. of ☉ from Venus = 4,4455819

This refulgent Planet is Occidental, or an Evening Star, from the Beginning of the Year, to this Day; when it will become Oriental, or Morning Star, the remaining Part of the Year.

Its greatest *Vesperine* Elongation this Year is 45° 52' 20". at *Lady day*, and greatest *Matutine* Elong. is 45° 44' 30". about the Middle of *August*.

At the Beginning of this Transit, the Sun will be Vertical to the *Pacific Ocean*, to the East of the *Ladrone Islands*; at the Middle, to *Siam* the *East Indies*; and at the End, to the Middle of *Arabia Felix*: Consequently it may be seen over all *Asia*, *Russia*, *Poland*, *Sweden*, *Norway*, the *Laplands*, and most Parts within the *Arctic-Circle* from the Beginning to the End; but only visible in Part to *Africa*, the *Western Kingdoms of Europe*, and the North West, and North East Parts of *North America*; but not at all in *South America*; for the Transit will be ended before the Sun rises on the Eastern Coast of the *Brazils*.

This uncommon and very rare Phenomenon has never been seen by Mortals since the Creation, except once, by the famous *Jer. Horner* who, in the Year 1639, on the 24th Day of *November*, observed Venus in the Sun, 19 min. past 3 in the Afternoon; this is its first Return

The GENT. Diary ; or, Math. Repository. 21

Sup since that Time ; but as it will only once more enter its Disk in Space of 113 Years, it is hoped those Gentlemen who are qualified the Task, and provided with proper Instruments, will make some good Observations on this *Transit* ; because, from such Observations, the *Parallax* of the *Sun* may be ascertained ; and by that Means the Distances of *Earth*, and *Planets* from the *Sun*, according to the Method given by *Halley*, in the *Phil. Trans.* No. 348, may be determined to within a 5th Part of the whole ; but which, by the *Parallax* of *Mars*, can scarce be known to a 5th.

The Solution of this noble Problem, one of the highest in Nature, has been attempted in all Ages of *Astronomy*, and by several Methods as may be seen in most Books of *Astronomy* ; but as an Error of one single Second in the Observation, even by the best of those Methods, will create a Difference of several Millions of Miles in the *Sun's* Distance from the *Earth* ; as an Angle can scarcely be taken true to one Second ; it is certain that the true Dimensions of the solar System, cannot be known by any of the Methods hitherto used for that Purpose. However, they all agree that the *Sun's* *Parallax* is very minute, even less than a Quarter of a first Minute. The last Observations, by the *Parallax* of *Mars*, giving it 12, or near 10 Seconds ; from whence the Distance of the *Sun* will be 1,000,000 Miles.

Mr. *Machin* thinks, that the Motion of the *Sun* from the *Moon's* Node, will, perhaps, furnish the best Method of adjusting and fixing the *Sun's* Distance : And by his Calculation, the *Sun's* *Parallax* is only 8 Seconds, and its Distance 25000 Semidiameters of the *Earth*, or 99.625,000 Miles (see Page 24 of the *Laws* of the *Moon's* Motion, annexed to Sir *ISAAC NEWTON's Principia* in English) which is above 18,000,000 Miles greater than the Distance obtained from the *Parallax* of *Mars* : But a *Transit* (if proper Observations be made) will decide the Dispute, and from such Determination, new Tables of the Distances, and Magnitudes of the *Planets* and *Satellites* may be computed.

N. B. The celebrated Mr. *Martin* has published a very curious Representation of all the *Transits* of *Venus* over the *Sun* for 1000 Years in large Copper Plate Print ; with the Inclination of the *Planets* Orbit, both at the ascending and descending Node, and the Distances of the Planet from the *Sun's* Center, &c. to which I refer those who have not leisure, or Inclination to undertake a tedious and laborious Calculation from the Tables.

JOHN METCALFE.

Mr. *Alex. Rowe*, of *Penzance*, sent the following Calculations of the Lunar Eclipse, from *Leadbetter's* Tables: For

	London.	Rome.	Madrid.	Lisbon.	Penzance.
May 12	11h 54' 52"	12 46' 52"	11 41' 52"	11 17' 52"	11 32' 52"
tot. dark	12 59' 15"	13 51' 15"	12 46' 15"	12 22' 15"	12 37' 15"
eclipse 8	13 33' 48"	14 25' 48"	13 20' 48"	12 56' 48"	13 11' 48"
middle	13 46' 32"	14 38' 32"	13 33' 32"	13 9' 32"	13 24' 32"
end tot. dar.	14 33' 59"	15 25' 59"	14 20' 59"	13 56' 59"	14 11' 59"
of Ech.	15 38' 12"	16 30' 12"	15 25' 12"	14 12' 12"	15 16' 12"

22 Eclipses, and Transit of Venus, 1761.

Mr. Rowe's Calculation of the Transit of Venus,

Makes the Beginning. Apparent Time, at London

June 6		13 ^h 14 ^m
A. M. { Middle	-	6 43
{ End	-	19 11
{ Total Duration	-	6 56

And Remarks. This Transit happens about three Hours and half sooner by this Calculation, than Leadbetter makes it, in his Treatise of Eclipses: And there he makes it Lat. S. A. But as he calculated by *Astron. Carolina*, whose Tables are very ancient, and as the Place of the Sun and Venus agree to 10" with that of Dr. Halley; I apprehend the Time will agree very near with his, &c.

Mr. Tho. Harris favoured us also with Calculations at London of the great Lunar Eclipse, and Transit of Venus; but they came too late to be inserted in full, can only oblige him with an Abstract, as follows:

While *Tellus* thro' her annual Orb does run,
Four Times pale *Phæbe* will eclipse the Sun;
And twice the Moon in Darkness will be found:
As thro' her Orb she runs her *menstrual* Round:
If you the Times of each would truly know,
Observe the Computations here below.

1. The Sun eclipsed May 4, about $\frac{3}{4}$ past 5 Aft. Vertical in Lat. 16° N. Long. 86° W. visible in S. America, but invisible here, by reason of the Moon's great S. Lat.

2. The second a visible and total Eclipse of the Moon Beginning at Bagbrook, May 18d 8h 28' 17". Middle at 23' 42". Ends at 12h 19' 7". Duration 3h 50' 50". Dig. 18° 5' 12".

3. The Sun eclipsed June 3, at half past 1 in the Morning Vertical in Lat. 22° N. Long. 158° E. Visible in the Eastern Ocean, &c.

4. The Sun eclipsed Oct. 27, at half past 10 at N. Vertical to Lat. 13° S. Long. 157° W. visib. to the great So. Sea, &c.

5 The Moon eclipsed, Nov. 12, near Noon invisible.

6. The Sun eclipsed $\frac{1}{2}$ past 2. Aft. on the 26 Nov. invisible here, by reason of the Moon's great So. Latitude.

Mr. Harris makes the Transit of Venus to begin at Bagbrook. June 6d 2h 59' 53". Middle 5h 18' 38". End 5h 39' 6". From Sun rise to last Contact 4h 54' 51". And the total Duration 6h 39' 13".

ANSWER

ANSWERS to the QUESTIONS in the last Year's DIARY.

(1.) Quest. 201, answered by Mr. Tho. Barnall.

Put $1360 = 2a$, = the Area of the Triangle in Perches; $29,424 = b$ = the Diameter of the inscribed Circle; Draw EF parallel to BD, and put $x = BD$; then $\frac{4a}{x} = CA$.

$\frac{4a - bx}{x} = AO$; and by similar Triangles, as $\frac{4a}{x} : x :: \frac{4a - bx}{x}$

$\frac{4ax - bx^2}{4ax - b^2} = EF$. Therefore $\frac{4a}{4ax - b^2} = b^2$, which, brought out of Fractions, and properly reduced, gives $x^3 - 92,44x^2 = -80033,27$. By converging Series, x is found $= 38,5296 = BD$; and $70,566 = AC$. Then (by Trig.) I find the $\angle A = 150^\circ 16'$ and the $\angle B = \angle D = 74^\circ 44'$.



The same answered by Mr. Tho. Bramley.

Put the Area of the given Triangle $= 1360$ Sq. Perches $= a$; Area of the inscribed Circle $= 680$; then Radius will be $= 14,712247 = b$; (by Simpson's Algebra, p. 273 $\frac{a}{b} = 92,44 =$ half Sum of three Sides; because it is an Isosceles Triangle, put $x =$ half Base, and each Side will be $r = x$ (then by 47 Bueclia's 1st) the perpend. is $= \sqrt{r^2 - x^2}$; and Arc $2 = x\sqrt{cc - 2cx} = a$; reduced gives $\frac{x^3}{2} - \frac{ax^2}{2} = a$; Solved $x = 19,2654072$, whence the Base $= 38,530814$; each Side $= 73,174928$ vertex Angle $= 30^\circ 32'$ Angles at the Base $= 74^\circ 44'$ each.

Messrs. Barker, Brown, Buddles, Croome, Drury, Eaton, Embleton, Foster, Kingston, Milsban, Robinson, Rowe, Scott, Thompson, and others, sent Solutions to this Question, which we must omit inserting for the Sake of Brevity.

24 Questions in 1760, answered

(2) Quest. 202, answered by Mr. W. Eaton.

Make PB parallel to AS,
 $=a$; and PC parallel to
 AS, $=b$; and let $BD=x$;
 then by reason of the pa-
 rallel Lines, it will be, as

$$x : a :: b : \frac{ab}{x} = CE ;$$

therefore $AD + AE = b +$

$$x + a + \frac{ab}{x} \text{ a Minimum,}$$

whose Fluxion is $x \cdot \frac{-abx}{x^2} = 0$. Therefore $x^2 = ab$; that is,

as $a : x :: x : b$. Whence the Position of DE is known.
 Q. E. I.

The same answered by Mr. W. Embledon.

Let P be the given Point (see last Fig.) and EA, AD the
 Lines given in Position. Make PB parallel to EA $=a$, and
 PC parallel to DA $=b$, and put $DB=x$; then by reason of

the parallel Lines $x : a :: b : \frac{ba}{x} = EC$. Therefore $DA +$
 $EA = b + x + a + \frac{ba}{x}$ which by the Problem is a Min-
 imum, whose Fluxion $x \cdot \frac{-ba}{x^2} = 0$. Which reduced gives

$x = \sqrt{ba}$ whence the Position of DE is known. Q. E. I.

Messrs. Bramley, Brown, Buddles, Drury, Kingston, Robin-
 Thompson, and others, favoured us with good Solutions to
 the above.

(3) Quest. 203, answered by Mr. W. Kingston.

Let x = those at 9 Shillings, y = those at 4 Shillings; z
 = those at 6 Shillings; then $6a - 6x - 6y + 9x$
 $+ 4y = 6a - 2y + 3x$, a Maximum, and in Fluxions is $3x -$
 $2y = 0$. $\therefore 3x = 2y$. $\therefore 3x = 2y$; and by the same we gain
 those of 6 Shillings $= \frac{9x}{2}$ whence $x + \frac{3x}{2} + \frac{9x}{2} = a$. $\therefore$
 $4a = 19x$. $\therefore x = \frac{4a}{19} = 36$; $\frac{3x}{2} = 54$; $\frac{9x}{2} = 81$. And the
 whole Money 51. 6s.

The same answered by Mr. Tim. Drury, the Proposer.

Let x, y , and z = Number of each Sort; then $4x + 6y + 9z$

Min. and, making x flow, and y and z constant; we have in Fluxions $4yx^2x - 4yx^2x - 6y^2xz - 9yz^2x = 0$. Hence

$= \frac{9z}{6}$; and making y flow, and x and z constant, we have

in Fluxions $6zxyy - 4x^2zy - 6zxyy - 9x^2zy = 0$. Hence

$= \frac{9z}{4}$; and making z flow and x and y constant; we have

again in Fluxions; $6xyzx - 4xy^2z - 6xy^2z - 9xyzx = 0$. Hence

so $x = \frac{6y}{4}$. Then $\frac{9z}{4} + \frac{9z}{6} + x = 171$. Whence $x = 36$,

$= 54$, and $x = 81$. W. W. R.

We received other Solutions to this Question, which for brevity's Sake we omit publishing, and proceed to the Solution of

(4) Quest. 204, answered by the Proposer Mr. W. Kingdon.

Either I made a Mistake in Transcribing this Prob. or You in Printing it: For the Angles should have been in Proportion, as 5 to 4. Whence the $\angle DAC = 42^\circ 7'$ $\therefore$ its Tangent, the Circumference being 69,152, we have $DE = EC = 11 = a$; put $EF = x$ and by 47. Eu. 1.) $\sqrt{a^2 - x^2} = CF$; then as the Arches BC and DC are equal; and the Sine of any Arch being equal to half the Chord of double the said Arch;



we have $2\sqrt{a^2 - x^2} = BD$, and by similar Triangles, as $2a$

$2\sqrt{a^2 - x^2} :: 2\sqrt{a^2 - x^2} :: \frac{2a^2 - 2x^2}{a} = AD$; whence AF

$= \frac{2a^2 - 2x^2}{a} \cdot \frac{a+x}{a} = \frac{a^2 + ax - 2x^2}{a}$. And as $1 : d ::$

$\frac{a^2 + ax - 2x^2}{a} : \sqrt{a^2 - x^2} :: d \times \frac{a^2 + ax - 2x^2}{a} = \sqrt{a^2 - x^2}$

$\therefore d^2 \times \frac{a^4 + 2a^3x - 3a^2x^2 - 4ax^3 + 4x^4}{a^4} = a^4 - a^2x^2 \therefore x^4$

$- ax^3 - \frac{3a^2x^2}{4d^2} + \frac{a^2x^2}{2} = \frac{a^4}{4d^2} - \frac{a^4}{4}$ Solved, gives x

$= 1,4312$, whence $CF = 10,9065$, $AD = 21,6275$, and AE

$= 10,6275$. Upon

26 Questions in 1760, answered.

Upon Account of the above Mistake (made by the Proposer) we have no true Solution to this Question; several Contributors finding it impossible, according to the Data given, &c. Therefore shall give the Solution to

(5) Quest. 205, by Mr. George Brown.

Let AVE represent the given Slice, VF its perpendicular Height; & let BPKOB represent the greatest Spheroid that can be cut out of the Slice, and Lines drawn, as in the Fig.

Then (by Question AE

$$= 21.133265$$

$$= a, VF =$$

$$44.994988 =$$

$$p, BD = BC$$

$$= m; BE = z;$$

$$AR = v; VG = x; \text{ then } p - x = \text{Height of the Spheroid.}$$

$$\text{And by sim. Triangles } VF : AE :: VG : HI = \frac{ax}{p} \text{ and}$$

$$AE : AB :: HI : KH = \frac{vx}{p} \text{ then will } IK = \frac{zx}{p}; \text{ and } AB \times$$

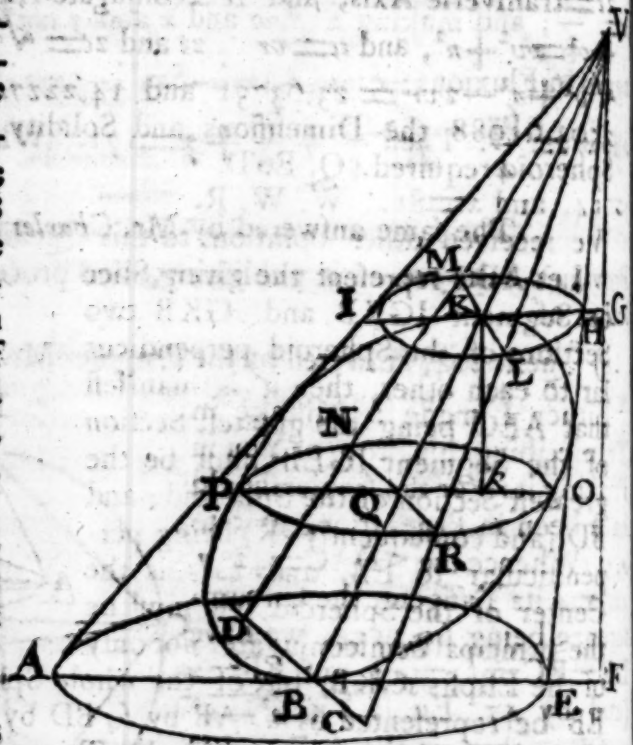
$$IK = PQ = \frac{vzx}{p}; \text{ and } PQ = \sqrt{\frac{vzx}{p}}. \text{ Again, as } VF$$

$$: BC :: VG : KL = \frac{mx}{p}; \text{ and } BC \times KL = QR^2 = \frac{m^2 x}{p},$$

$$\text{and } QR = m \sqrt{x} \therefore PO \times NR \times .785398 \times \frac{2}{3} GF =$$

$$\times .785398 \times \sqrt{\frac{vzm^2 x^2}{p^2}} \times p - x = \text{Solidity of the Spheroid}$$

BPKOB, which by Quest. must be a Maximum, or $px - x^2$ a Maximum: put into Fluxions, &c. $x = \frac{1}{2} p$. Now to determine v and z in the Maximum make z flow, then $ax - z^2$



put into Fluxions, &c. $x = \frac{1}{2}a$; which being substituted in $v = a - x$ gives $v = \frac{1}{2}a$. i. e. $AB = BC = \frac{1}{2}AE$: Now by having given the two Conjugates PQ and KB and the $\perp Kt$, to find the two principal Diameters: Put $PQ = 7,471729 = v$, $KQ = 1,594304 = n$, $Kt = 11,248747 = r$; $2t = \text{transverse Axis}$, and $2c = \text{conjugate Axis}$; then will $t^2 = v^2 + n^2$, and $tc = vr \therefore 2t$ and $2c = \sqrt{v^2 + n^2 + 2vr} \pm \sqrt{v^2 + n^2 - 2vr} = 23,63751$ and $14,222748$, Solidity = 2503,61988 the Dimensions and Solidity of the greatest Spheroid required. Q. E. D.

The same answered by Mr. Charles Wildbore.

Let AEC represent the given Slice or Segment $IGKB$ and $IGKB$ two Sections of the Spheroid perpendicular to each other, then it is manifest that AEC being the greatest Section of the Segment $IGLB$ must be the greatest Section of the Spheroid; and BD (and consequently CK) being perpendicular to EB , and as e is the Center of the Spheroid, eK must be the principal Semiconjugate, not only of the Ellipsis $IGKB$, but of the whole Spheroid: Now let EB be represented by a , AB by b , BD by c , Gb by x , and $EL = EC$ by s ; then by similar Triangles $a : b :: a - x : b \times a - x$ $= FG$; but by the Property of the Ellipsis $FG \times AB = Fe^2$, whence $Fe = b \sqrt{\frac{a - x}{a}}$; and in the same Manner it is found that $c \sqrt{\frac{a - x}{a}} = eK$; but it is likewise known



that $\frac{s \times IL \times GB}{2eK} = \frac{sbx}{c}$ is the principal Transverse of the Spheroid, which, multiplied by the Square of the Conjugate, is to be a Maximum, represented by $sbx \times a - x$; whence $x = \frac{1}{2}a = 23,1886$, which gives the Solidity 2503,59.

(6) Quest. 206, answered by Mr. Tho. Allen.

Put the convex Superficies $6980,58996 = s$; $2,0044 = a$, Abscissa $= x$; and Ordinate (by Quest.) $= 6x$. Then will

✓

$$\sqrt{4.36 \times x + 36xx} \times \sqrt{4.36 + 6x} = 50; \text{ or } \sqrt{4.36 \times 6x + 36xx} \times \sqrt{4.36 + 6x} = 50$$

$$\frac{36x^2}{\sqrt{4.36 + 6x}} = \frac{50}{a} \text{ Where } x =$$

$$\sqrt{\frac{50^2}{a^2} - 4.36} = 50. \text{ Whence the Or-}$$

$$dinate = 30.$$

The same answered by Mr. *Tho. Crabtree*.

Put $6980,58996 = a$, the given Ratio as p to q ; $2,0944 = m$, $x =$ the Abscissa, and $y =$ the Semiordinate. Then

$$my \sqrt{4x^2 + y^2} - \frac{my^3}{\sqrt{4x^2 + y^2} + y} = a; \text{ and } py = qx \therefore x = \frac{p}{q}y$$

hence, by Substitution and Reduction, $y = 30$, and $x = 50$.

Messrs. *Barker, Barnitt, Brown, Embleton, Rowe, Scott*, &c. sent us also Solutions to the same Question.

(7) Quest. 207, answered by Mr. *John Goodhead*.

The specific Gravities of *Cork, Water, and Copper*, are as $238, 1$, and 9 : which let be as s, l , and c ; put $a = 18$; $b = 24$; $m = 5236$; $n = 5787$ the Weight of a cubic Inch of Water: and $x =$ the Globes Diameter; then $m \times x^3 - b^3 =$ the Solidity of the Copper, and $men \times x^3 - b^3 =$ its Weight; $ma^3 =$ the Solidity of the Cork, and $smna^3 =$ its Weight; Consequently $smna^3 \times cmn \times x^3 - b^3 = lmn \times \frac{2a^3 + 2x^3}{3}$; whence by Reduction $x = \frac{3b^3c + 2a^3l - 2a^3}{c - l \times 3} = 25,127$; and the Thickness of the Mettle $= 5635$ Inches.

The same answered by Mr. *John Hudson*, the Proposer.

Put $a = 24$, $b = 18$ Inches, $c = 5,2083 =$ Weight of a cubic Inch of Copper (Avoir) $d = 5787 =$ that of Water, $n = 13773 =$ Weight of a cubic Inch of Cork; $p = 5236$, and $\frac{1}{2}x =$ Thickness of the Copper, then will $a + x =$ the whole Axis of the concave Globe; $3a^2 + 3ax^2 + x^3 \times p =$ Weight of the Globe of Copper; and $a^3 + 3a^2x + 3ax^2 + x^3 \times d =$ the Weight of the Water dislodged by it; also $pnb^3 =$ Weight of the Cork, and $\frac{2}{3}dpb^3 =$ Weight of the Water dislodged

The GENT. Diary; or, Math. Repository. 29

Flodged by it (by Question) $\therefore 3a^2x + 3ax^2 + x^3 \times p = 3a^2x + 3ax^2 + x^3 \times pd = \frac{3}{2}pab^3 + \frac{3}{2}pab^2$: Hence $x^3 + 2x^2 + 1728x = 2040,498$. Which solved gives $x = 1,18$ very near $\therefore$ the Thickness of the Copper is .59 Inches.

The same answered by Mr. George Brown.

Put $d = 18$ Inches, the Diameter of the Globe of Cork; $b = 24$ Inches, the inside Diameter of the Globe of Copper, its whole Diameter $= x$; $p = 5236$, $D = 238$ specific Gravity of Cork; $f = 9$ specific Gravity of Copper, $e = 1$ d^o. of common Water; $n = 5275$ Ounces Troy, or, 5787 oz. *averdup.* by *Emerson's Mech.* 2d Ed. Then $pd^3 =$ solid Inches in the Globe of Cork; and by Quest. $\frac{2}{3}pd^3 =$ Cork immersed; $px^3 - pb^3 =$ solid Inches of Copper, and $p \times \frac{2}{3}x^3 + x^3 =$ solid Inches of Water, as big as the Parts immersed, which must be equal to the Weight of the two Globes (by *Emerson*) And $nep \times \frac{2}{3}d^3 + x^3$ Ounces $=$ Weight of the Water, also $nDpd^3$ Ounces $=$ Weight of the Globe of Cork; and $nfp \times x^3 - b^3$ Ounces $=$ Weight of Copper $\therefore$ $nDpd^3 + nfp \times x^3 - b^3 = nep \times \frac{2}{3}d^3 + x^3$, and $x = \sqrt[3]{\frac{3fb^3 + 2e - 3D \times d^3}{3 \times f - e}}$ $= 25,12708$ Inches, and the required

Thickness of the Metal $= .56354$ decimal Parts of an Inch.

(8) Quest. 208, answered by Mr. John Thompson.

Put $150 = s$; $18 = d$; $AB - BC = z$, and $AC = x$. Then as $x : s :: z : d$



$\frac{dx}{s}$; and $\frac{x}{2} + \frac{d}{2} = AD$; also $\frac{x}{2} + \frac{z}{2} = AB$. And (by 47. eu. 1.)

$$\frac{s^2 + 2^2}{4} - \frac{x^2 + d^2}{4} = BD^2 = \frac{s^2 + dx}{4} - \frac{x^2 + d^2}{4} \text{ xd by } x^2 \text{ gives}$$

$$\frac{s^2 + dx}{4} - \frac{x^2 + d^2}{4} \times x^2 = a \text{ Max. really divided, \&c. we're}$$

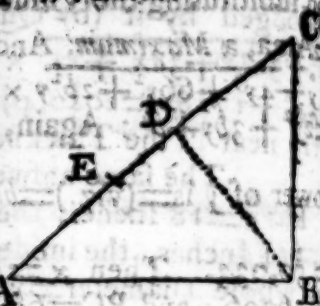
$s^2x^2 + d^2x^2 - x^4 - a^2x^2$ a Max. which, fluxed and reduced, gives $x = \sqrt[3]{\frac{3}{2}a} = 106,0659$, from which is easily found $AB = 81,3639$ $BD = 52,6498$ and $BC = 68,636$. W. W. R.

The

30 Questions in 1760, answered

The same answered by Mr. W. Eaton.

Every one that has but small Knowledge in *Fluxions*, must know that the Triangle is a rectangled one: Therefore, let ABC be the Triangle, and $AB+BC=150=S$; and $DF=18=d$, and $s=$ Half the Sum of the Angles $BAC+BCA=49^\circ$. Then (by a Theorem in A



Thacker) we have $S : d :: s : \frac{ds}{S} =$ the natural Sine of $4^\circ 52' 8''$ Half the Difference of the said Angles; hence the Angle $BAC=40^\circ 7' 52''$, and $BCA=49^\circ 52' 8''$, from whence the Sides of the Triangle are found (viz.) the Side $AB=81,386$, $BC=68,614$; and $AC=106,45$. Q. E. I.

Mr. J. Holroyd answers the same as follows:

Put $a=150=AB+BC$, and $e=18=$ the Difference of the Segments of the Base (see Mr. Thompson's Fig.) also let $x=AC=$ the Base, and $z=$ the Difference of the Sides: Then by *Trigon.* we have $x : a :: z : e \therefore xe = za$; hence

$$z = \frac{xe}{a}, \text{ and also } \frac{a^2 + xe}{2a} = AB; \text{ or } \frac{a^4 + 2a^2xe + x^2e^2}{4a^3} =$$

$$\overline{AB}^2; \text{ and likewise } \frac{x+e}{2} = AD, \text{ or } \frac{x^3 + 2xe + e^2}{4} = \overline{AD}^2;$$

$$\text{then (by 47. E. 1.) } \sqrt{\frac{a^4 + x^2e^2 - a^2x^2 - a^2e^2}{4a^4}} = DB. \text{ Put}$$

$$n = a^4 - ae, \text{ and } x \text{ by } \frac{1}{2}x \text{ we have } \sqrt{\frac{nx^2 - a^2x^4 + e^2x^4}{16a^3}} =$$

the Area, a Max. which, put in *Fluxions*, and reduced, gives

$$x = \sqrt{\frac{n}{2a^2 - 2e}}, \text{ or } x = \sqrt{\frac{1}{2}}a = 106,06 = \text{the Base}; \text{ hence}$$

$$AB=81,363, \text{ and } BC=68,636. \text{ Q. E. I.}$$

Mr. Barker, the Proposer, gives the Solution thus:

Put $2a=150$, $2b=18$, $2x=$ Difference of the Sides, $2y=$ the Base: Then by a well known Theorem, as $y : a ::$

$$b : x \therefore x = \frac{by}{a} \text{ (or by putting } c = \frac{b}{a} \text{) we have } x = cy;$$

$$\text{again (by 47. I. Eu.) } \sqrt{a^2 + x^2} - y + b^2 = CD \text{ (see Mr. Thompson's Fig.) then by multiplying the last Equation by } y,$$

and

The GEN. Diary; or, Math. Repository. 38

and substituting the Value of x , we have $y \sqrt{a^2 + y^2 - 9 + b^2}$
 Area, a Maximum. And in Fluxions is $2a^2y + 6acy^2 + 4c^2y^3$
 $y - 4y^3 + 6by^2 + 2b^2y \times y = 0$. Whence $a^2 + 3ay + 2c^2y^2$
 $= 2y^2 + 3by + b^2$: Again, seeing the Coefficient of the lowest
 power of y is $(viz.) = bb$ we have therefore $y \sqrt{\frac{a^2 - b^2}{1 - c^2}} \times 2$

$= 50,033$. Then $x = 6,36396$. $AB = 106,066$ $AC =$
 $1,36396$; and $BC = 68,93604$: Consequently the Area $=$
 $71,132$, &c.

(9) Question 209, answered by Mr. Tho. Allen.

Put the Sine of $CAB = 50^\circ = a$, $Rad. = 1$; b and c for the
 Sines and Cosines of $\angle D$ (see Fig. in last Year's Diary)
 $= 25^\circ$; also let $DC = 100 = d$, and $DB = x$: Then by Tri-
 gonometry $a : x :: \frac{bx}{a} = AB$; and $\sqrt{d^2 - 2dcx + xx} = BC$.

Therefore by Question $\frac{-dx + xx}{\sqrt{d^2 - 2dcx + xx}} + \frac{bx}{a} = 0$. $\therefore dc -$
 $x = \frac{b\sqrt{d^2 - 2dcx + xx}}{a}$ solved, $x = 62,684$. Whence the

Point B is determined Q. E. F.

Mr. Thomas Barker answers the same as under.

Put a , and b , = natural Sine and Cosine of the $\angle D$ (see
 the Author's Fig.) c = that of the Angle $DAB = BAC = 50^\circ$.
 $d = 100 = DC$, and x = natural Sine of the Angle DBC ;

Then $\frac{ad}{x} = BC$. Whence as $c : \frac{ad}{x} :: bx - a\sqrt{r^2 - x^2}$,
 $\frac{abdx - a^2d\sqrt{r^2 - x^2}}{cx} = AC$ (r being = Radius, and $bx - a$

$\sqrt{r^2 - x^2}$ the Sine of the Angle ABC) Whence $\frac{ad}{x} + d -$
 $\frac{abdx - a^2d\sqrt{r^2 - x^2}}{cx} = a$ Minimum. In Fluxions gives $\frac{-dx}{x^2}$

$+ \frac{a^2x}{rc\sqrt{r^2 - x^2}} + \frac{a^2x\sqrt{r^2 - x^2}}{rcx^2} = 0$. Solved gives $x = \frac{a}{c}$

$\sqrt{c^2 - a^2} = .83404$ = natural Sine of $56^\circ 31'$. or (rather)
 $123^\circ 29' = \angle DBC$; whence $ABC = 98^\circ 29'$. then $BC =$
 $50,67$ nearly, $AC = 65,42$; then $AD = AB = 34,58$, and
 the Sum of $AB + BC = 85,4$.

Answered

Answered also by Mr. George Brown (see same Fig.)

Put $DC = 100 = a$, m and $n = \text{Sine and Cosine } \angle D$,
 $p = \text{Sine } \angle CAB = 50^\circ$ by Quest. x and $y = \text{Sine and Cosine}$
 $\angle DCB$. Rad. $= 1$. Then will $ax + my = \text{Sine } \angle DBC$, and
 by Trigonometry $BC = \frac{am}{nx + my}$; $BA = \frac{1}{p} \times \frac{amx}{nx + my}$;

and $BA + BC = \frac{am}{p} \times \frac{p+x}{nx + my}$; which, by Quest. must be

a Minimum; or $\frac{p+x}{nx + my}$ a Minimum: Put into Fluxions
 and reduced, $ny - mx = \frac{m}{p} = .5516890$, answering to

the Cosine of $56^\circ 31' = \text{Cosine } \angle DBC$, which being taken
 from 180° . we have $123^\circ 29' = \angle DCB$; consequently the
 $\angle DCB = 31^\circ 31'$, and $DB = 62,6759$, the required Point B.
 Q. E. D.

(10) Quest. 210, answered by *Tabularius*, the Proposer.

Let E, F, G, H, be the four given
 Points, and put $EF = a$, $FG = b$, $EH = c$; B G C
 p and $\frac{1}{p} = \text{Sine and Cosine } \angle EFG$; r
 $\text{and } \frac{1}{r} = \text{Sine and Cosine } \angle FEH$ and x
 $\text{and } \frac{1}{y} = \text{Sine and Cosine } \angle AEF$; then
 will $py \pm qx = \text{Sine } \angle BGF$, and $rx \pm sy$
 $\text{Sine } \angle DHE$. By Trigonometry, Radius
 $= 1 : a :: x : ax (= AF) :: y : ay =$
 AE ; also $1 : b :: py \pm qx : b \times py \pm qx$
 $= BF$; and $1 : c :: rx \pm sy : c \times rx \pm sy = DE$, $\therefore ax + b \times$
 $py \pm qx = AB = DC$, and $ay + c \times rx \pm sy = AD = BC$;
 from which $ax + bpy \pm bq \times ay + crx \pm csy =$
 $d^2 \pm abg + bcpr \pm acs + bcqs (d) \times xy + abp \pm bcps (m) \times y^2 +$
 $acr \pm bcqr (n) \times x^2$ is a Maximum, and $d^2 \pm abg + bcpr \pm acs + bcqs$
 $= 0$; but $y = \frac{-xx}{y}$ $\therefore d^2 \pm abg + bcpr \pm acs + bcqs - 2xx \times m - n = 0$;

Whence $d^2 \times y^2 - x^2 = 2xy \times m - n$, and thence $\frac{2xy}{y^2 - x^2} =$
 $\frac{m-n}{m-n} = \text{Tangent of double the } \angle AEF$, which Angle,
 therefore, will be greater, equal to, or less than 45° ; ac-
 cording as n is greater, equal to, or less than m .

(11) Quest.

The GENT. Diary; or, Math. Repository. 33

(11) Quest. 211, answered by Mr. George Brown.

Put $a = 10000$; $r = 1.00093614$ the Amount of 1. in one Week; $b = 21$ Money put out at Interest the first Week; $c = 17$ Money to be taken from the first Week's Amount; n required Number of Weeks. Then $1st. a + b = ab$ Amount at the End of the first Week, and Principal $= ab - c$; by Quest. $ab - c + b^2$ Principal to run on at Interest the second Week; then will $a^2b - ac + ab^2 - 2c$ Amount at the end of the second Week; and by Quest. $a^2b - ac + ab^2 - 2c - b^3$ Principal to run on at Interest the third Week; consequently the Principal to run on at Interest the ninth Week, $ba^n - ca^{n-1} + b^2a^{n-1} - 2ca^{n-2} + b^3a^{n-2} - 3ca^{n-3} - b^4a^{n-3} - 4ca^{n-4} + b^5a^{n-4} - 5ca^{n-5} + b^6a^{n-5}$ continued to $n-1$ Terms,

$$nc + b^{n-1} + n = \left\{ \begin{array}{l} ba^n - ca^n \times \frac{1}{a} + \frac{2}{a^2} + \frac{3}{a^3} + \frac{4}{a^4} \text{ continued to } n-1 \\ + ba^n \times \frac{b}{a} + \frac{b^2}{a^2} + \frac{b^3}{a^3} + \frac{b^4}{a^4} \text{ continued to } n-1 \end{array} \right.$$

The first Series being compared with Prob. 4. No. 2. *Turner's Math. Exercises* its Sum will be $\frac{c \times a^{1+n} - a \times na - n + 1}{a-1}$

and the Sum of the second Series is $\frac{ab^{1+n} - b^2a^n}{b-a} \therefore ba^n - \frac{ab^{1+n} - b^2a^n}{b-a} - nc + b^{n-1} + n = 1$

Put into Numbers and solved $n = 19,15284$ the required Number of Weeks.

The same answered by Mr. Todd, of West-Smithfield, London.

If $a = 21$; $r = 1.00093614$; $r = 1$ Pound and its Interest for 1 Week; and n the Number of Weeks. Then

$ar - 1$ Sum at Interest the End of 1st Week.
will $\begin{cases} a^2r + ar^2 - r - 2 = D^0 \text{ of } 2d D^0. \\ a^3r + a^2r^2 + ar^3 - r^2 - 2r - 3 = D^0 \text{ of } 3d D^0. \\ a^4r + a^3r^2 + a^2r^3 + ar^4 - r^3 - 2r^2 - 3r - 4 = D^0 \text{ of } 4th D^0. \end{cases}$

and $ra^n + r^2a^{n-1} + r^3a^{n-2} + r^4a^{n-3}$ &c. $a^{1+n} - 2a^{n-1} + a^{n-2}$ &c. $a^{1+n} - 2a^{n-1} + a^{n-2}$ &c.

Quest. (11)

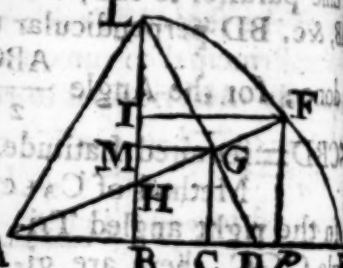
$$n = \frac{ra}{a-r} \times a^{n-1} - \frac{r}{a-r} + \frac{n}{a-r} = \frac{ra^{n-1} - r + n}{a-r}$$

Question. Or, $\frac{ra}{a-r} \times a^{n-1} - \frac{r}{a-r} + \frac{n}{a-r} = \frac{ra^{n-1} - r + n}{a-r}$

From whence the Value of n may be found.

(12) Quest. 212, answered by Mr. John Goodbread.

Draw MG parallel, and Fp perpendicular to AE; and put MI = x, IF = y, BL = m, and AB = BD = n; then will BC = GM = $\frac{y}{2}$ and by Sim.



Triangles, as BD : BL :: GM

: LM : that is, as $n : m :: \frac{y}{2} : \frac{my}{2n} = LM$. Therefore

$\frac{2mn - my}{2n} = BM = GC$; Again as AC $\left(\frac{2n+y}{2}\right) : GC$

$\left(\frac{2mn - my}{2n}\right) :: Ap (n+y) : Fp = BI = \frac{2mn^2 - mny - my^2}{2n^2 + ny}$

Consequently BL - BI = LI; that is $m - \frac{2mn^2 - mny - my^2}{2n^2 + ny} = x$. Therefore $\frac{my^2}{2n^2 + ny} = x$. or $my^2 - nxy = 2n^2x$; the

Equation of the Curve, an Hyperbola.

The same answered by Mr. Zach. Gaskell the Proposer.

Put LI = x (see last Year's Fig.) IF = y; AB, or BD =

BL = m; Draw CG parallel to BL, then will BC = $\frac{y}{2}$ and by

similar Triangles, as $n : m :: n - y : CG = \frac{mn - \frac{1}{2}my}{n}$ and as AC

$(n + \frac{1}{2}y) : CG : n : HB = \frac{mn - \frac{1}{2}my}{n + \frac{1}{2}y}$. Again as AB : HB

IF (y) : IH = $\frac{mny - \frac{1}{2}myy}{n + \frac{1}{2}ny}$. Then will LB - IH - HB =

$\frac{mny + myy}{n + \frac{1}{2}y} - my$. Reduced $\frac{2n}{m}x = yy$ whence the Curve

the common or Apollonian Parabola, whose Parameter

AD

LB.

I have turned over all my Books that treat on the Conic Sections, but find not the least Hint of the above Property

Method of constructing the Curve by Points, I think is
 verable (by its Simplicity) to any other Method, and I
 e I may justly claim it as mine own. *Zach. Gaskell.*

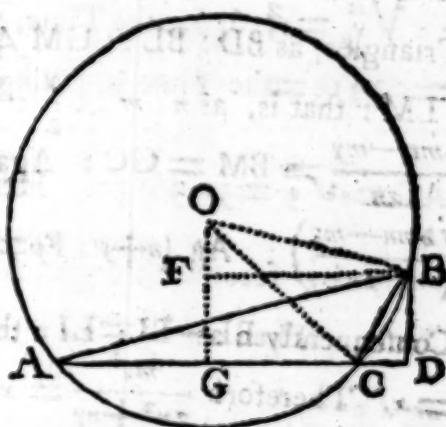
(13) Quest. 213, answered by Mr. *George Brown.*

Take $AC=28$ Feet, the transverse Axis of the Curve,
 in which (by 33. Eu. 3.) describe the Segment of a Cir-
 cle to contain $31^{\circ} 50' =$ twice the Sun's Declination, draw
 line parallel to AC , and at the Distance of 16 Feet, join
 , &c. BD perpendicular to AC produced, and the Thing
 done; for the Angle $\frac{ABC}{2}$ or the Sun's Declination $+$

$CBD =$ required Latitude.

Method of CALCULATION.

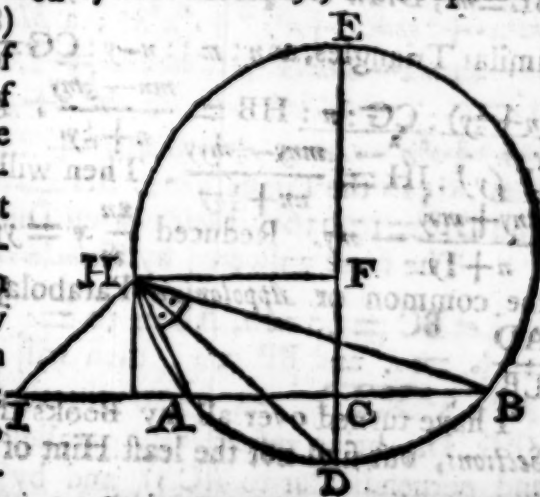
In the right angled Tri-
 angle OGC , there are gi-
 ven the Angles and Side
 OC ; find $GO = 22,5503$
 $OC = OB = 26,54279$;
 In the right angled Triangle
 FO , there are given FO
 and OB , then (by 47. Eu.
 $FB = GD = 25,72182$;
 In the right angled Triangle
 DB , there are given CD
 and $DB = 19$: find the An-



$CBD = 36^{\circ} 13' 17''$; $\therefore \angle \frac{ABC}{2} + \angle CBD = 52^{\circ} 8' 17''$
 the required Latitude 'N. Q. E. D.

The same constructed by Mr. *Tho. Mofes*, the Proposer.

Upon $AB (=28)$
 describe a Segment of
 Circle capable of
 containing an Angle
 equal to twice the gi-
 ven Declination: Let
 the Circle be complet-
 ed, and Bisect AB in
 F , thro' which draw
 the Diameter DE , in
 which take $CF=16$;
 Draw FH parallel to
 AB meeting the Peri-

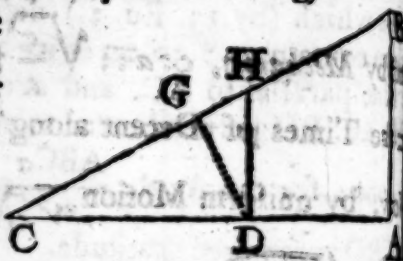


phery of the Circle in H; join DH, and draw HI, perpendicular to DH meeting BA produced in I, and the Time is done, and the Angle BIH will express the required Latitude.

(14) Quest. 214, answered by Mr. W. Kingston.

Let $2a = BC = 60$; $a = AB = 30$; $d = 16\frac{1}{2}$; s , and c , = Sine and Cosine of $ACB = 30^\circ$. as $d : 1'' :: a :$

$\frac{a}{d}$ = the Square of the Time in falling thro' AB



$\therefore \sqrt{\frac{a}{d}} = 1,3656$ = the Time; and, as $a : 2a :: \sqrt{\frac{a}{d}} : 2$
 $= 2,7312$ = the Time in falling through BC, by 47. Eu.

$AC = a\sqrt{3} = 51,96152$. Hence $\frac{a\sqrt{3}}{2} = 19,023$ the Velocity by second through AC. Let x = the required Time. Then as $\frac{4a}{d} : 2a :: x^2 : \frac{dx^2}{2} = nx^2$, and $CD =$

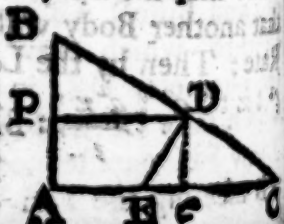
$\frac{ax\sqrt{3}}{2} = mx$; then, as $1 : mx :: s : smx = DG$. Again as

$mx :: c : cmx = CG$: hence $2a - cmx - nx^2 = GH$, and
 47. Eu. 1. $GH^2 + DG^2 = DH^2 = 4a^2 - 4acmx - 4anx^2 +$
 $m^2x^2 + 2cmnx^3 + n^2x^4 + s^2n^2x^3$; a Maximum, and in Fluxion
 is $-4acmx - 8anx^2 + 6cmnx^3 + 2c^2m^2nx^4 + 4n^2x^3 + 2s^2n^2x^2$
 $x^2 = 0$. $\therefore -4acm - 8anx + 3cmnx^2 + 2n^2x^3 = 0$.

$2am^2 + s^2n^2 - 4anx + 3cmnx^2 + 2n^2x^3 = 2acm$. Solved
 $x = 1,81526$ the Time; hence $BH = 26,4986$, $BC = 34,531$
 and $DH = 17,6361$, their nearest Distance.

The same answered by Tabularius, the Proposer.

Let $BC = 60 = a$, $AB = 30 = c$, $16\frac{1}{2} = s$, and $BP = x$; then will
 $AC = \sqrt{a^2 - c^2} = 51,96152$, $PA = De = c - x$
 (PD, De, being respectively parallel and perpendicular to AC;) and by



Right Triangles $c : a :: \frac{ax}{c} = BD$, and $c : \sqrt{a^2 - c^2} ::$

$\frac{c - x \times \sqrt{a^2 - c^2}}{c} = CE$; also the Time of perpendicular

Descent, from B to A = $\sqrt{\frac{c}{g}}$, and from B to P = $\sqrt{\frac{x}{g}}$

by *Mechanics*, $c : a :: \sqrt{\frac{c}{g}} : \sqrt{\frac{a}{g}} :: \sqrt{\frac{x}{g}} : \frac{a}{c} \times \sqrt{\frac{x}{g}}$

the Times of Descent along BC, and BD respectively :

Now, by uniform Motion $\frac{a}{\sqrt{c^2}} : \sqrt{a^2 - c^2} :: \frac{a}{c} \times \sqrt{\frac{x}{g}} :$

$\frac{x \times \sqrt{a^2 - c^2}}{c} = CE \therefore CE - C_e = E_e =$

$\frac{c - x - c - x \times \sqrt{a^2 - c^2}}{c}$; but $\frac{\sqrt{a^2 - c^2}}{c} = \text{Tangent of}$

$\angle ABC (=t) \therefore DE^2 = t^2 \times cx - 2\sqrt{cx} \times c - x + t^2 + 1$

$c - x^2$, a *Minimum*; in Fluxions $t^2 \times cx - \frac{c^2 x - 3c x x}{\sqrt{cx}} -$

$\frac{t^2 c x 3x - c}{\sqrt{cx}} = t^2 c - 2t^2 x + 2c - 2x.$

Let $t^2 + 2 = n$, and $2t^2 + 2 = m$, then will $t^4 c \times 3x - c^2 = x$

$\frac{t^4 c \times 3x - c^2}{x}$, and by Reduction (putting $cv = x$) $v^4 -$

$\frac{t^4 + 2mn \times v^2 + 6t^4 + n^2 \times v - t^4}{v^4} = 0$. In Numbers $v^4 -$

$515625v^4 + 1,2343750v^2 + 140625$, from which $v = 441645$,

$x = 13,24935$, and thence $DE = 17,63635$.

The same answered by Mr. J. Holroyd.

In the Triangle ABC (see last Fig.) put $x = 60 = CB$,

and $a = 51,9615 = CA$; also let $t = 2,73$ seconds the Time

in which the Body descends down BC; and let $s =$ the

Time that the Body will descend down from B to D, and

that another Body will move from C to E at an uniform

Rate; Then by the Law of descending Bodies, We have

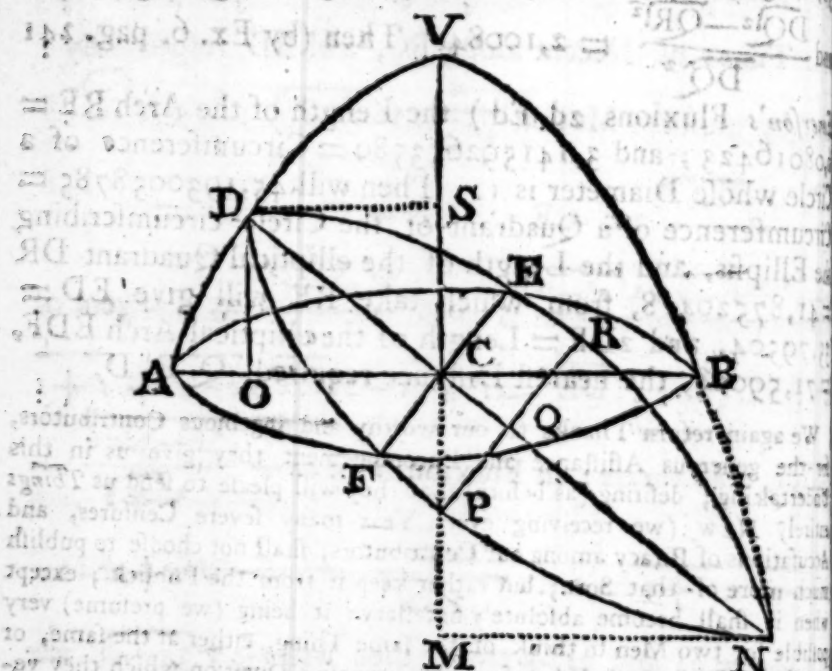
$t : s :: a^2 : s^2 :: BD : CD$; also $t : a ::$

$s : a ::$

$a : \frac{na}{t} = CE$. Hence by Quest. $\frac{na}{t} = \frac{t^2x - xa^2}{t}$;
 $na = \frac{t^2x - xa^2}{t}$ Ergo. $tna = t^2x - xa^2$, or $xa^2 + tna = t^2x$

Hence $a = 1,7927$, wherefore CD is found $= 34,127$,
 also $DE = 17,663 =$ the Distance required.

(15) Quest. 215, answered by Mr. George Brown.



Let AVB represent the given Parabolic-Conoid, where the Length of the Curve EDF is a *Minimum*, then will CD be so too, and the Curve EDF will be an Ellipsis, *Prob. 1. Pag. 40, Royal Magazine, for Jan. 1760.*

Put $VC = 30 = a$, $CA = CB = 25 = b$; $VS = x$, $CD = y$; then will $CD^2 = \frac{b^2x}{a} + a - x^2$ a *Minimum*, put

to Fluxions, &c. $x = \frac{2a^2 - b^2}{2a}$ and $CD = \frac{b}{2a} \sqrt{4a^2 - b^2}$

$= 22,72648357$: Again $DO : OC :: CM : MN = \frac{b}{2a} \sqrt{4a^2 - b^2}$

and by Property of the Curve $MN^2 = \frac{b^2}{4a^2} (4a^2 - b^2)$

$\therefore 2a \times 2a^2 - b^2 = b^2 \times \frac{b^2}{4a^2} (4a^2 - b^2)$

$\therefore 2a \times 2a^2 - b^2 = b^2 \times \frac{b^2}{4a^2} (4a^2 - b^2)$

$\therefore 2a \times 2a^2 - b^2 = b^2 \times \frac{b^2}{4a^2} (4a^2 - b^2)$

$\therefore 2a \times 2a^2 - b^2 = b^2 \times \frac{b^2}{4a^2} (4a^2 - b^2)$

$\therefore 2a \times 2a^2 - b^2 = b^2 \times \frac{b^2}{4a^2} (4a^2 - b^2)$

$$b^2 \sqrt{b^4 + 8a^2 \times 2a^2 - b^2} + b^4 = \frac{750}{47} = 15.9574468$$

Then will $DN = DC \times \frac{DQ + CM}{DO} = 57.54152223$, the Transverse Axis; and by Property of the Ellipsis $RP = 14130344$ the Conjugate Axis; then $CQ = 6,04427754$ and $\frac{DQ^2 - QR^2}{DQ^2} = 2,10084$. Then (by Ex. 6. pag. 241

erson's Fluxions 2d Ed.) the Length of the Arch $RE = 08016423$; and $3,141592653589 =$ Circumference of a Circle whose Diameter is 1. Then will $45,1930058785 =$ Circumference of a Quadrant of the Circle circumscribing the Ellipsis, and the Length of the elliptical Quadrant $DR = 41,87520428$, from which take RE will give $ED = 5,79504$, and $2DE =$ Length of the elliptical Arch EDF , $71,59008$, the nearest Distance required. Q. E. D.

We again return Thanks to our worthy and ingenious Contributors, for the generous Assistance and Encouragement they give us in this Undertaking; desiring (as before) that they will please to send us Things entirely New (we receiving every Year many severe Censures, and Accusations of Piracy among our Contributors, shall not choose to publish much more of that Sort; but rather keep it from the Publick; except when it shall become absolutely necessary: it being (we presume) very possible for two Men to think of the same Thing, either at the same, or at different Times; and therefore may propose a Question which they verily believe to be really new and their own; when possibly, on Publication, the same may be found in some Author which the Proposer or Solver had never the Opportunity to see or consult) and also, that their Schemes may be drawn as perfect as possible, and of a proper Size; as well as bring out all Equations in Numbers, in order to facilitate the Labour of the Author's collecting and compiling the Work; and further (as several Letters come too late in every Year to be inserted, or even mentioned in the Catalogue) desire they will take Care for the future that they be sent soon enough to come to hand before the first Day of May in every Year, directed for the Authors of the Gentleman's Diary, to be left with *Tbo. Peat*, Schoolmaster, in *Nottingham*. (Post paid.)

And as the generality of our Contributors seem desirous to have a Prize-Question, and a Prize-Enigma proposed, we being willing to oblige them in that respect; propose to give an annual Prize of twelve Diaries to such Contributor as shall favour us with the best Mathematical and Poetical Performances (sent in the time above limited) to be delivered to such Contributor the Christmas next following, as we shall order in the Diary; and accordingly desire, that Mr. GEO. BROWN Teacher of Mathematicks on *Portsmouth-Common*, will accept of twelve Diaries to be sent him as soon as published from *Stationers-Hall*, LONDON.

Nottingham, Aug. 1, 1760.

New MATHEMATICAL QUESTIONS proposed to be answered in the next Year's DIARY.

(1) Quest. 216, by Mr. *Thomas Harris* of *Bugbrook*.

In a right angled Triangle, there is given the Perpendicular = 30. It is required to find the Base and Area, when the Rectangle under the Difference of the Legs and Hypothenuse is a *Maximum*?

(2) Quest. 217, by Mr. *Thomas Barker*.

Suppose on AB the horizontal Line, a Cannon was discharged at A; it is required to find how high in the Air BC must be raised, that letting fall a Ball, it shall arrive at the Ground (B) the same Instant (of Time) the Sound arrives at C; but not till $\frac{1}{4}$ of a Second after the Sound arrives at B?

(3) Quest. 218, by Mr. *Thomas Robinson*, of *Biddick*.

Let there be a given Angle containing 30 Degrees. It is required to find, by a simple Equation, How many Degrees the given Angle must be increased, when the Rectangle of the Sine and Cosine of their Sum is a *Maximum*?

(4) Quest. 219, by Mr. *John Thomson*, of *Witberly-Bridge*.

Required the Dimensions and Solidity of the greatest Frustum of a Cone, that can be inscribed in a Solid, generated by the Rotation of a Curve round its Axis, whose Abscissa is 40; bounding Ordinate 30, and Equation $px = y^4$?

(5) Quest. 220, by Mr. *Henry Hogadise*.

As I was taking a Walk one Day, I observed the Flight of two Birds (viz. an *Hawk* and a *Swallow*) the *Hawk* appeared to me to describe the Curve of an Ellipsis, whose conjugate Diameter is 50, and Area of its greatest inscribed Parallelogram 1700 Yards; also the apparent Curve that the *Swallow* described was that of the greatest Appollonian Parabola, that could be inscribed: Now, supposing that the *Hawk* flew at the Rate of 5 and the *Swallow* at 4 Yards per Second; it is required to find the Time they were in Motion in their new Orbits, with the Investigation?

(6) Quest. 221, by Mr. *Geo. Brown*, of *Portsmouth-Common*.

Suppose two right Cones, the Solidity and Superficies of each (including their Bases) are all four equal; also the perpendicular Height of the one is equal to the slant Height of the other. Quere the Dimensions of the two Cones?

(7) Quest. 222, by Mr. *Charles Wildbore*.

It is proposed to determine the Diameter of a Globe of Glass, half an Inch thick (whose Concavity is supposed to be void of Matter) that may carry a Man of ten Stone Weight, fixed at the lowest Point of the Ball, through the Air, at the Height of half a Mile from the Surface of the Earth; allowing for the Decrease of the Air's Density, and that the specifick Gravity of Air at the Surface, is to that of Glass, as, 000461; to 1.

(8) Quest.

(8) *Quest. 223, by Mr. John Goodhead.*

Required two general Theorems (with their Investigations) to determine the greatest *Ellipsis* and *Spheroid*; that can possibly be inscribed in a *Parabola* and *Paraboloid*, whose *Abscissa* is 30, and *Semiordinate* 23?

(9) *Quest. 224, by Mr. Robert Waddington, Mathematical Instrument Maker in Hull.*

Admit a *Brass Sphere* of 2 Inches Diameter, immersed in *Water* by a small Wire hung at the End of a Balance (in like manner) immersed in a *spiritous Liquid*, in a temperate State: Required the specific Gravities of these Liquids, that would equilibrate the Balance with these Weights in a *Freezing State*? and when *Boiling Heat*?

(10) *Quest. 225, by Mr. Charles Wilkinson, of Spalding.*

In the Equation $\frac{y^2 x^2}{2b} - y^2 - yx^2 + \frac{x^2 y^2}{y^2} = 0$; to find the Value of x in Terms of y ?

(11) *Quest. 226, by Mr. Thomas Moss, of London.*

At a certain Place, I observed a *Spire*, and a *May Pole*; the former (as I was informed) bore NE of the latter; and their Distance asunder was 5 Miles; after I had travelled for some Time, in a right Line, I observed that I was 4 Miles from the *Spire*, and two Miles and a half from the *May Pole*; and the Distance I had then travelled subtended an Angle at the *May Pole* of 15° : and proceeding forward still in a Right Line, I found (by Observation) that the Distance from the Place of the second Observation subtended an Angle at the *Spire*, of 28° . And I was then told, that my Distance from the *Spire*, was three times of that from the *May Pole*, at my first Observation; it is proposed to find, by a *Geometrical Construction*, the Distance, and in what Direction I travelled; from my first and last Observations?

(12) *Quest. 227, by Mr. Thomas Allen, of Spalding.*

If a Curve, whose Equation is $ax = by + y^2$, be supposed to generate a *Prismatic Solid* of a given Length, by a Motion of right Angles to it's Plane; and if this Solid move in an homogeneous Fluid, in Direction of the *Abscissa* of the generating Curve; it is proposed to determine the Ratio of the Forces wherewith the Plane and Curve Superficies of such a Solid are resisted by the said Fluid?

(13) *Quest. 228, by Mr. Charles Wildbore.*

The Breadth of a River, and its Depth from the Top of the Bank being given; it is proposed to determine the *Form*, and *Position*, of a Pair of *Sluice Gates*, that shall resist the Water, in every Point, with the greatest Force possible?

22 The GENT. Diary; or, Math. Repository.

ANSWERS to the *ÆNIGMAS* in last Year's DIARY,

1. CHARITY.

2. A Pair of PATTENS.
3. A GREAT COAT.
4. A VANE, OF WEATHER-COCK.
5. A Scolding WIFE.
6. A POTATOE.
7. The MOON.

8. WANT.
9. SIR-LOYN of Beef.
10. WIT.
11. A FLEA.
12. A BED.
13. A GARTER.

Quære, by Mr. *Atkinson*, a WOMAN; originally a SHADOW, and such most of our Contributors answers it; but it was certainly Mr. *Atkinson's* own Composition; and he expresses some Concern, having since found it not to be an Original; and therefore is in hopes the Publick will not censure him as a Plagiary, &c.

The BEGGAR'S WISH, containing *Answers* to all the last Year's *Ænigmas*, by Mr. *J. Atkinson*.

Cælum Sultitia petimus. Hor.

Grant, *Jove* benign! a Beggar's ardent Prayer,
 Who solely trusts on thy paternal Care;
 I ask not Affluence, nor GARTERS crave,
 But BEEF, and 'TATOES, I would gladly have;
Christmas to me's a faithful, constant Friend,
 Preserve its Customs, and its Rites defend:
 (Witlings may sneer; old Wives may SCOLD,—What then?
 Shall Heav'nly Rites be rul'd by sinful Men?
 But to return)—May I my Satchell fill
 Before the MOON peeps o'er the Eastern Hill:
 May CHARITY, that's *swarm*, adorn our Isle,
 Plenty and Peace around *Britannia* smile!
 May chrystal Fountains (Health's Preservers) flow
 When I am *thirsty*, wherefoe'er I go:
 And when bleak pregnant Storms, which VANES defy,
 May some warm *Cott* secure my Fair and I;
 But (this deny'd) GREAT COAT and PATTENS grant;
 A Barn, and FLEA-less BED is all we WANT:
 Thus let me pass Life's tedious Hours away,
 And Peace at last attend my final Day!

All the *Ænigmas* answered by *Un-qui-vive-la begattelle*.

Let some pursue the Trade of Arms,
 And spend their Lives amidst Alarms;
 Make Earth their BED, and WANT sustain;
 By MOON-Light, Stars and GARTERS gain.
 To shew their WIT, let Women SCOLD
 About the idlest Tale that's told;
 And, while their *Tbess* is their Pride,
 Sans CHARITY—damn all beside.
 While these grasp at the SHADOW Fame,
 Which (like a FLEA) oft 'scapes their Aim;
 In Solitude I spend my Days,
 Of Censure mindless, as of Praise:

While

ANSWERS to last Year's ENIGMAS. 1 49

While Independence I possess,
I value not GREAT COAT, nor Dress ! 3.
And can, without Ragouts and Wine,
On SIRLOIN and POTATOS dine. 9. 6.
I am unto no Rule confin'd,
Nor turn like VANE with ev'ry Wind : 4.
Books often read—and sometimes Men,
And even scribble now and then ;
UNCLOGG'D with Cares, and tho' exempt 2:
From Envy, yet above Contempt.

All the *Enigmas* answered by Mr. T. Beer.

Intacte Pallidis urbem,
Carmine perpetuo celebrare— Hor. Lib. 1. Ode 7.

Where *Cberwell's* pleasant Streams meand'ring glide,
And *Ipsi* gently laves her purling Tide ;
Ye Sons of WIT, hail ! hail that bless'd Retreat, 10.
Oxon, Parent of *Arts* !—The *Muses* Seat !
Pleasures unnumber'd strike the ravish'd Eyes,
And every View affords a fresh Surprise !
The stately Turrets, and high glittering VANES 4.
A splendid Prospect give the neighb'ring Planes !
E'er *Sol* from th'Eaſt proclaims the new-born Day,
Or Silver MOON reflects the borrow'd Ray ; 7.
The Woodland Songsters, at their rising Hour,
With warbling Notes salute the SHADY Bower ;
From SCOLDING WIFE the peaceful Walks invite, *Quære.* 5.
And smiling Nature strives to raise Delight,
Soft, gentle Zephyrs breathe an healthful Air,
And BEEF and 'TATORS Fruitfulness declare ; 9. 6.
The yellow Fields no noisome Vapours blast,
Nor flow'ry Meads pestif'rous INSECTS waste : 11.
Here Learning, CHARITY, and Plenty smile, 1.
The choicest Blessings in fair *Albion's* Isle ;
Majestic Piles, magnificently grand,
With GARTERS, COATS of Arms emblazon'd stand ; 13. 3.
Which justly ne'er can undistinguish'd die,
Nor in the BED of dark Oblivion lie, 12.
May * PATTEN'S Deeds ne'er WANT immortal Fame, 2. 8.
Nor they whose Merits claim a deathless Name :
But uneclips'd, in future *Annals* shine,
Secure from Malice, and the Length of Time.

* The Founder of Magdalene College in Oxford, and High Chancellor of England, Anno Christi 1449.

The *Enigmas* answered in the Character of a SCOLDING WIFE, by William Ingram of Corfe Castle.

Dear Tom, I think no Man in Life,
Was plagu'd as I am with a WIFE ; 5.
Know first, she's jealous as the D—l,
Possess'd—possess'd of all that's evil ;
If you for real WANT shou'd die, 8.
She'll shew no Spark of CHARITY ! 1.

ANSWERS to the last Year's ÆNIGMAS.

Th' inconstant WEATHER-COCK, or MOON,
 Don't vary, nor yet change so soon:
 My WITS are work'd ten thousand Ways,
 And constantly employ'd to please;
 Full oft her PATTEMS at me flings,
 And those (dear Tom) are d—n'd hard Things;
 Thus teaz'd, I pine to that Degree,
 I've scarcely Strength to kill a FLEA!
 In th' Garden too I've try'd my Skill,
 And got POTATOES for Good-will;
 Of which she's fond, and seem'd kind,
 Yet soon to all my Kindness blind.

One Day was sent me from a Friend,
 SIRLOIN de BEEF; but mark the End:
 The Messenger in modish Dress,
 Sold GARTERS, Buckles, and BED-Lace;
 She met, just entering in the Hoose,
 With — Ma'am, "here's something for your Spouse;"
 The Basket soon away was thrown,
 You louzy, stinking Whore! be gone!
 She then began to stamp, and swear,
 And made poor Susan run for Fear:
 I offer'd calmly just to speak,
 But soon she made me fear and quake;
 She seiz'd the Tongue, and laid them o'er
 My Bones, and swore she'd make 'em sore;
 My GREAT COAT sav'd 'em, or depend,
 I should have found no other Friend!
 These Plagues must bear whilst I have Breath,
 For there's no Remedy but Death:
 Therefore (dear Tom) the Danger shun,
 And never into Wedlock run!

All the Ænigmas and Quære answered by Mr. Wm. Heaford.

First, Bickerstaff, of CHARITY does talk;
 Then Thorpe upon his PATTEMS strives to walk.
 And Gaskell must have a GREAT COAT to wear;
 While Morce's WEATHER COCK still fronts the Air:
 I like not Sadler's Choice: For it's a Scorn,
 Rousson's POTATOE may please Young and Old:
 But Harris to conceal the MOON does strive;
 The Character of WANT, does Wildbore give:
 Vaughan's SIRLOIN of BEEF may prove a Friend,
 And Atkinson may more his WIT extend:
 Friend Swift has got a FLEA, perhaps in's Ear,
 In BED at Tapetoe you'll likely find T. Beer.
 Clark boasts his GARTER: Gents, I am in haste,
 Atkinson's SHADOW, darkens all at last.

All the Ænigmas and Quære answered by Mr. T. Harris.

A bold Pot-Companion to th' Tavern did go
 While PHOEBE displayed her Light,
 His WIFE she came SCOLDING, and said, Is it so?
 What the Plague! Don't you know when 'tis Night?

4-7.
10.
2.
11.
6.
9.
13, 12.
7.
11.
12.
13.
Quære.
7.
7.
My

The GENT. Diary; or, Math. Repository.

My Dear, said the Husband, I hope there's nought wrong;
Go, pry'thee Love, go home to BED;
Said she, I'll not go; you will stay here so long:
And, I swear, I'd as soon see you dead.
The Husband with Fury then GARTER'd her Hide,
And said, Ye Bitch, do ye WANT more?
I'm sure there's none lost, but what's fallen beside;
I've no CHARITY for you, — you W—e!
Then she up with her PATTERNS, and struck at his Head,
And gave him a FLEA in his Ear:
He turn'd as a WEATHER-COCK, look'd like a SHANK,
And said, I am ruin'd, I fear!
She tore his GREAT COAT, and then *sugged* his Hair,
No Reason could govern her Tongue:
Tho' he cry'd *Peccavi*, she still did not care,
But still she kept *thumping* along!
And said, for the future I'll make you more wise,
Buy BEER and POTATOES good Store:
She beat him severely, and knock'd up his Eyes;
And call'd him, A Son of a W—e.
In this or the like manner, all, or most of the *Ænigmas*, and Quære,
are answered by Mr. Thomas Barker, Mr. Robert Marsh, Mr. Tho. Friis,
Mr. Cbr. Mason, Mr. Tho. Sadler, Mr. Wm. Swift, Mr. Tho. Vaughan,
Miss Maria Willifer, and others.

New ÆNIGMAS to be answered next Year.

(1) Ænigma 160, by a Farmer's Granddaughter:

Impress'd by Love, and bred with Soft Offspring of Desire! [Pain; I something seem, yet nothing am, And pure as vital Air. Soft, as when Zephyr fans the Trees, With balmy breathings of the south: Sweet as is India's spicy Breeze, Or lovely <i>Chloe's</i> fragrant Mouth! I own no Features, Shape, or Mein, Complexion brown or fair; Felt, I am oft; but rarely seen Yet boast a gentle Air. In sweet Recess conceal'd I lie,	Where <i>Chloe's</i> hand is often press'd Oh <i>Strophæa</i>! cou'd'st thou then be by How amply might thy Hopes be [blest'd! Whilst thus I'm nourish'd by the fair, Where can she hide the conscious [Grief? Yet ev'n amidst this poignant Care, I've oft the Pow'r to yield Relief, Mature, I urge my destin'd Birth, By <i>Damon's</i> Vows betray'd! <i>Chloe</i> in private brings me forth, Yet <i>Chloe's</i> still a Maid!
---	--

(2) Ænigma 161, by Mr. Thomas Vaughan.

Sirs, unto you we dare our Parents tell;
They're *Lillipuciads*, black as Imps of Hell!
But we their Offspring (let it not surprize)
Are white, and red; a thousand times their Size!
Some love us dearly; while some others think
Us filthy, nasty; say we basely sink
We have our Failings, which we'll not deny,
Those who are too familiar soon must cry:
Take one Hint more; we seldom ever do
Survive one Year; but never more than two.

(3) *Enigma 162, by Un-qui-vi-ve-la-bagatelle.*

I, Gentlemen, tho' now disguis'd, attend
 Am oft your *Follower*, but your faithful Friend:
 Low is my Station, and I ne'er aspire
 At being rais'd (like some *Dependents*) higher;
 I oft assist, when Business you pursue;
 And oft am found to Pleasure useful too.
 Always *behind*, tho' I myself remain,
 I make you *foremost* on the scented Plain:
 The martial Horse, with all his boasted Spirit
 Has in th' Attack, to me ow'd half his Merit:
 Me did the *Errant Knights* of old require,
 And found as useful as their trusty *Squire*.
 Glitt'ring with me, the *Beau* a courting goes,
 And *Chloe* he can scarcely clip so close;
 Yet rare I'm favour'd with the *modest Fair*,
 And but too oft their just Resentment bear:
 When tempting they with sweeping Trains appear,
 I (hard Restraint!) must not approach too near.

(4) *Enigma 163, by Mr. Thomas Beer.*

Ratio ultima Regum.

By me Ambition, cruel Discords cease:
 And warring Nations soften into Peace.
 Calm, unprovok'd in Prison tho' confin'd,
 And to no Acts of Cruelty inclin'd:
 But when inflam'd by Man's unbounded Rage,
 Then Pow'r, nor Force, my Fury can assuage!
 My Disposition such:—In Tears I leave
 The widow'd Wife a Husband's Loss to grieve!
 I Kings intimidate—the Brave dismay,
 And laurel'd Heroes own my pow'ful Sway:
 Dire hostile Foes intrepid I disarm,
 And dauntless Sounds the Trumpets War alarm!
 Now hear my *Namesakes* Usefulness display'd,
 And Properties thro' every Scene convey'd:
 From frail Mortality, I Mortals lead,
 As I direct, the learn'd Divines proceed.
 In Mathematics, I obtain a Place,
 In Printing too am held without Disgrace:
 In Surgery an useful Part I claim,
 In Music too mine is a pleasing Name:
 Stop here my Pen!—Let Artists me reveal,
 In riddling Lines I would my Name conceal.

(5) *Enigma 164, by Mr. Isaac Tarratt.*

I am an Eye that never had Sight,
 When alive I am bury'd, when dead bro't to Light:
 I belong to a Man, that's a very great Whore,
 Admir'd by the Rich; overlook'd by the Poor.

(6) *Enigma 165, by Mr. Thomas Allen.*

When shaking Thunders roll along the Skies,
 Or Vapours into dusky Clouds arise,

The GENT. Diary, or, Math. Repository. 47

When Storms my ancient Empire do invade,
Imperfect I exist ———— Obscurest Shade
Of Winter's tedious Nights, or beaming Noon,
Are equally my Foes, the Sage will own.

When I (propitious) mount the Stage serene,
Ev'n Critics, Beaus and Belles admire the Scene;
My Count'nance then the *Virgin-Blush* displays,
Lovely as *Iris'* variegated Rays;
Tho' first when these engaging Charms I shew,
You'd think I am the Harbinger of Woe,
For oft successive Tears incessant flow;
But re-assume my *Rosy-Blush* again,
I soothe with Hope th' industrious anxious Swain.

Milton (poetic Prince) with Thought elate,
My (oft-times) beauteous Mantle terms sedate.

Tho' I *Sumatra's* scorching Clime resort,
It seems reluctant; ———— there my Visit's short;
On *Albion's* happier Plains am oftener found,
Attendant on the *Goblins* nightly round.

Take this Hint more, before I bid Adieu,
A Riddle-Writer should have me in View.

(7) *Enigma* 166, by *Dablerus*.

When hostile Foes, with Hopes of Spoil elate,
Approach the Frontiers of some wealthier State;
The Beacon's glare, conspicuous from afar,
Summons her Sons, alarms them of the War!
So, a Forerunner oft, e'er I appear,
Gives publick Notice that my Birth is near:
My Birth quite odd, a Paradox to Nature,
You'll say, when told, I come before my Part;
Instead of dread Alarms, spread Joys around,
Am welcom'd in with *Musick's* cheerful Sound.
If in mine Infancy the Roses grace
My Forehead red, or Blushes in my Face,
No Presage good forebodes, but sure Prelude
Of my b'ing furious, turbulent and rude:
For see, in me such Contradictions meet,
I'm oft call'd bitter, and as often sweet;
Now short, then long: my Aspect fair, then brown,
Now smiling cheerful, then an angry Frown,
Perhaps, some time when I look kind on you,
Others my dreaded Face may justly rue:
So the same Cloud that smil'd on *Jacob's* Race,
On *Egypt's* Sons indignant frown'd its Face!

Tho' these my Frailties; let me next rehearse
My better Part ———— The *Medal* quite reverse:
Priz'd, lov'd, approv'd of by the Wise and Good;
My Worth to many little understood:
The *Imps* of *Luxury* despise my Grace,
Neglect my Uses, shun my lovely Face;
Though precious as the costly glitt'ring Gem,
Of Life the Emblem, and the Guide of Man.

The Worms of Earth, who puff their *noble* Birth
 (Tho' by the bye, no more than *Mother* Earth)
 They vaunting boast of their illustrious Line,
 'Tis Farce, vile Mock'ry; when compar'd to mine:
 Tho' *wide* my Grasp, yet *narrow* is my Span
 Of Life; short Durance to the Life of Man.
 My Period near approach'd, then weak my Pow'r,
 Oft silent Tears attend my dying Hour.
 My Exit made, to Realms beneath I go,
 Oft piercing Screams succeed when launch'd below,
 Leaving behind the Livery of Woe.

(8) Ænigma 167, by Miss *Maria Williter of Epsom.*

Dear Gentlemen! by your Command,	My obdurations Talent Charms,
I'm sent where'er you please;	Would give them direful Blows,
Either to rest upon the Land,	For I can plunder, burn, and kill,
Or fly beyond the Seas.	And none can me withstand;
For I can leap from Pole to Pole,	Or in the least resist my Will,
Within a Moment's Space;	When I shall give Command,
And all Obstructions can controul	I visit Non-existence' Cell,
To find th'appointed Place.	And come from thence with Ease,
Or, if I shou'd amidst Alarms	Or rather make a Tour to Hell,
Be set before my Foes,	And come back when I please,

A Quære, by Miss *Maria Williter.*

Dic, quibus in terris inscripti nomina Regum Nascantur Flores.

2d Quære, by *Un-qui-vive-la-bagatelle.*

Quæ est in certarum rerum certissima cunctis?

A Rebus, by Mr. *William Ingram.*

To one half of the Place where Sin first took its Rise,
 Add three Fourths of a Term us'd for *Kitty*;
 When by Chance the young Maid proves an amorous Jade,
 And 'twill shew something contriv'd by the Witty.

An *Alphabetical* Catalogue of Contributors to this *Diary*: Wherein the Figures 1, 2, 3, &c. shew the Questions, and the Numericals, ii, iii, &c. the Ænigmas each Contributor answered, &c.

MR. Tho. Allen 6. 8. 9. 12. 15. pr. 1. Qu. & 1. Æ. Mr. J. Atkin-
 son, all in V. Mr. Tho. Barker, 1. 4. 5. 6. 7. 14. all in V. prop.
 2. Qu. 1. Æ. 1. Reb. Mr. Tho. Barnett 1. 6. 8. Mr. Sam. Beeken
 Æ. prop. 1. Q. Mr. Tho. Beer, all in V. Prop. 1. Æ. Mr. Tho. Bramble
 1. 2. prop. 1. Reb. Mr. G. Brown. All Qu. prop. 1. Mr. John Buddle
 1. 2. 4. 9. ii. iii. vii. viii. Mr. Wm. Chapman all Æ. & Q. prop. 1.
 Calc. Transf. Venus. Mr. John Clark, prop. 1. Æ. 1. Reb. Mr. James
 Croom. 1. all Æ. but 5. and 13. Dablerus prop. 1. Æ. Mr. Tim. Dray
 1. 2. 3. 7. 8. 9. 12. 14. 15. all Æ. but 10. Mr. W. Eaton 1. 2. 4. 6.
 8. 9. 14. Mr. Wm. Embleton 1. 2. 6. 7. 8. 9. 14. all Æ. but 9. Mr.
 Luke Elstob ii. iii. iv. v. vi. ix. & Qu. Calc. Ecl. Mr. W. Foster. 1. 14.
 ii. iii. iv. vi. ix. prop. 1. Qu. Mr. Thomas Frith all in V. Mr. John
 Goodhead all Q. and all Æ. Mr. Henry Green all Qu. and all Æ. Mr.
 Tho. Harris all Æ. in V. prop. ii. Qu. 1. Æ. Calc. all Ecl. & Venus
 Transf. Mr. John Harrington all Æ. but 9. Mr. George Haydon all Æ.
 but 10. pr. 1. par. &c. &c. &c.

F I N I S.